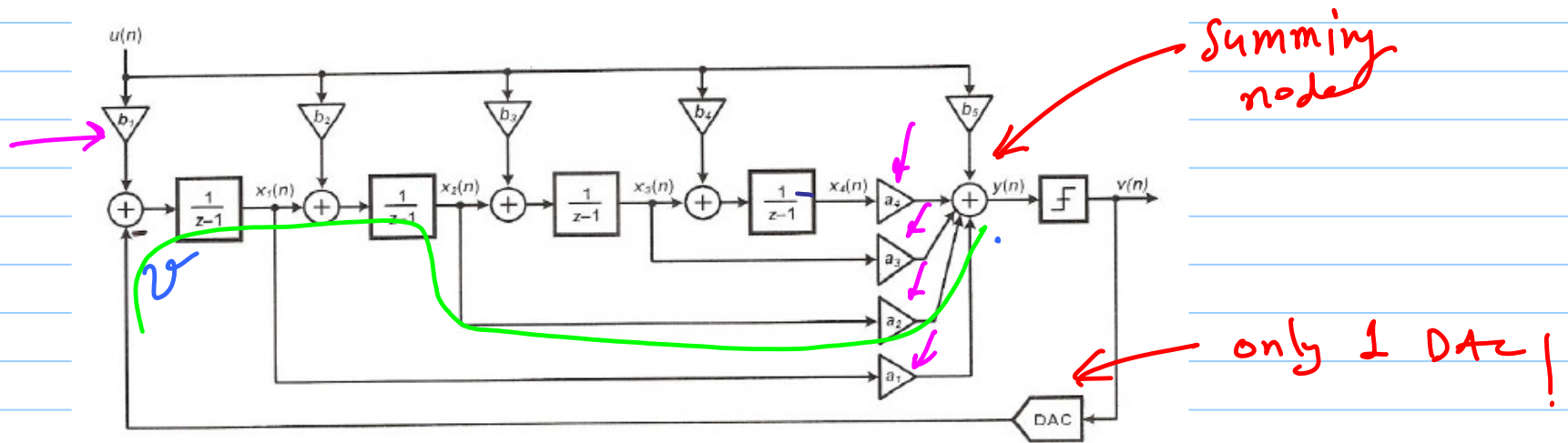


# ECE 615 - Lecture 19

Feedforward loop-filter:



\* C1FF  $\rightarrow$  cascade of integrators with feedforward summation

$$I(z) = \frac{1}{z-1} = \frac{z^{-1}}{1-z^{-1}} \leftarrow \text{delaying integrator}$$

$$L_1(z) = -a_1 I(z) - a_2 I^2(z) - \dots - a_N I^N(z)$$

←  $L_1$  is same as in the case of CFFB

$$L_0(z) = \frac{\gamma_1 + \gamma_2(z-1) + \dots + \gamma_N(z-1)^{N-1} + \gamma_{N+1}(z-1)^N}{(z-1)^N}$$

Same NTF

$$\left. \begin{aligned} \gamma_{N+1} &= b_{N+1} \\ \gamma_N &= b_1 a_1 + b_2 a_2 + b_3 a_3 + \dots \\ \gamma_{N-1} &= b_1 a_2 + b_2 a_3 + b_3 a_4 + \dots \\ &\vdots \\ \gamma_1 &= b_1 a_N \end{aligned} \right\}$$

↳ But different STF than FB complicated topology

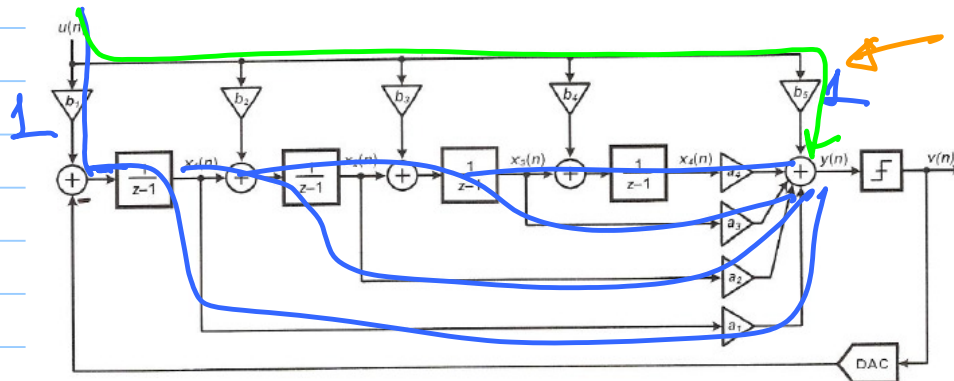
← This generic case is not usually employed

Now consider the case when  $b_2 = b_3 \dots = b_N = 0$   
 &  $b_1 = b_{N+1} = 1$

$\Rightarrow L_0(z)$  simplifies to

$$L_0(z) = (a_1 I + a_2 I^2 + \dots + a_N I^N) + 1$$

$$= 1 - (-a_1 I - a_2 I^2 \dots - a_N I^N) = 1 - L_1(z) \rightarrow \textcircled{1}$$



implementation can be challenging

$$\left\{ \begin{array}{l} L_0(z) = 1 - L_1(z) \quad \text{when } b_{nt1} = 1 \\ L_0(z) = -L_1(z) \quad \text{when } b_{nt1} = 0 \end{array} \right. \Rightarrow \text{Two simple cases supported by the toolbox}$$

for  $b_{nt1} = 1 \Rightarrow$  full input feedforward case

$$STF(z) = \frac{L_0(z)}{1 - L_1(z)} \Rightarrow \frac{1 - L_1(z)}{1 - L_1(z)} = 1 \quad \leftarrow$$

for  $b_{nt1} = 0 \Rightarrow$  only one input is coupled

$$STF(z) = \frac{-L_1(z)}{1 - L_1(z)} = 1 - NTF(z) \quad \leftarrow \text{we will come back to this.}$$

When  $b_1 = b_{N+1} = 1$

$$\text{STF} = \underline{\underline{1}}$$

distortion free!

$$\Rightarrow \underbrace{U(z) - V(z)} = U(z) - [U(z) + \text{NTF}(z) \cdot E(z)]$$
$$= -\text{NTF}(z) \cdot E(z)$$

input to the loop filter

↳ integrator swings are small

↳ simplifies circuit design

↳ compare with low-distortion CFB case

↳ FF implementation is easier

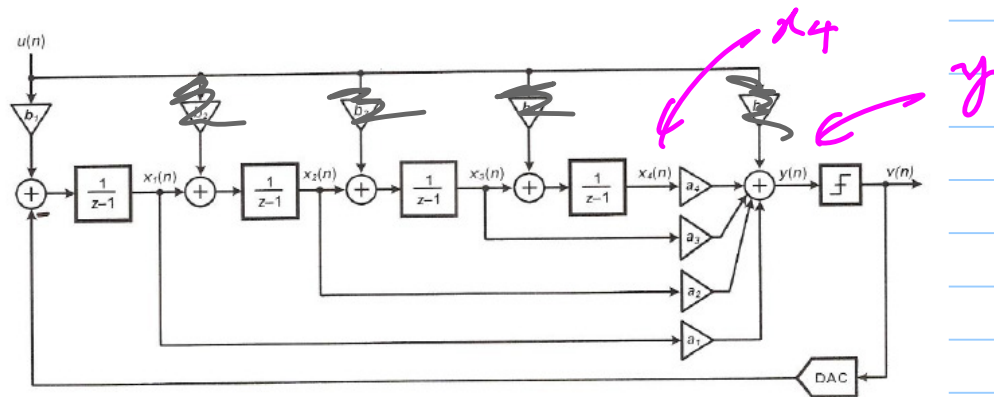
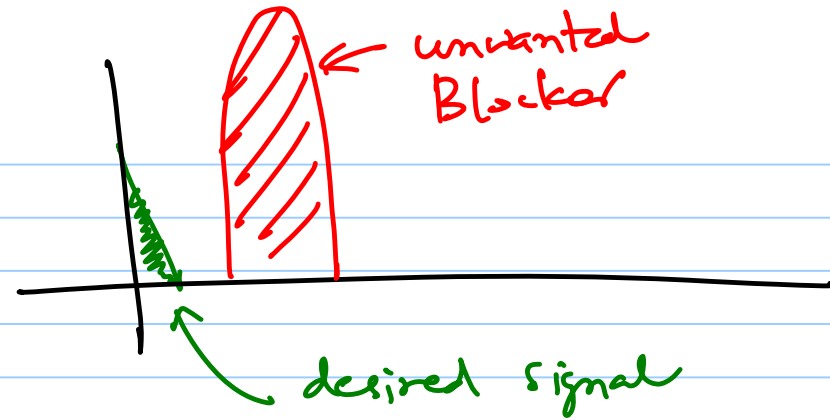
When  $b_2 = b_3 = \dots = b_{\text{NTF}} = 0 \Rightarrow$  only  $b_1 \neq 0$

$$\text{STF}(z) = 1 - \text{NTF}(z)$$

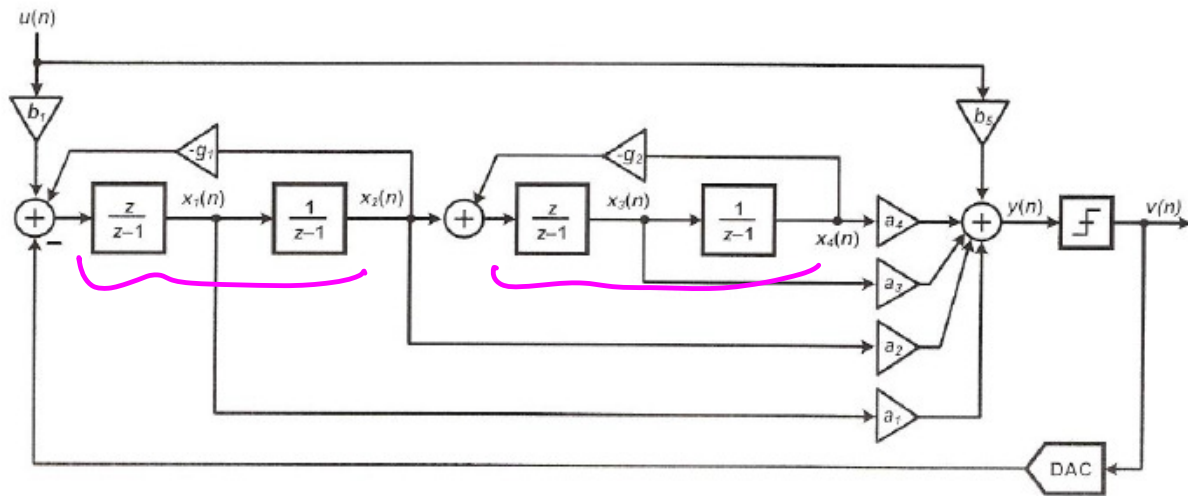


$\hookrightarrow$  results in high-frequency peaking in the STF  
 $\leftarrow$  Quantizer overload

RF Rx scenario

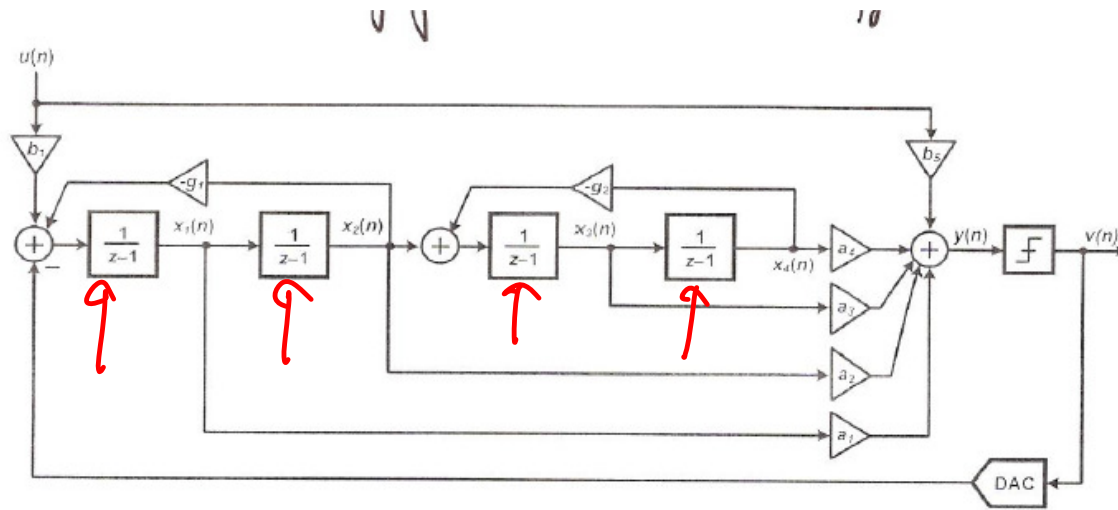


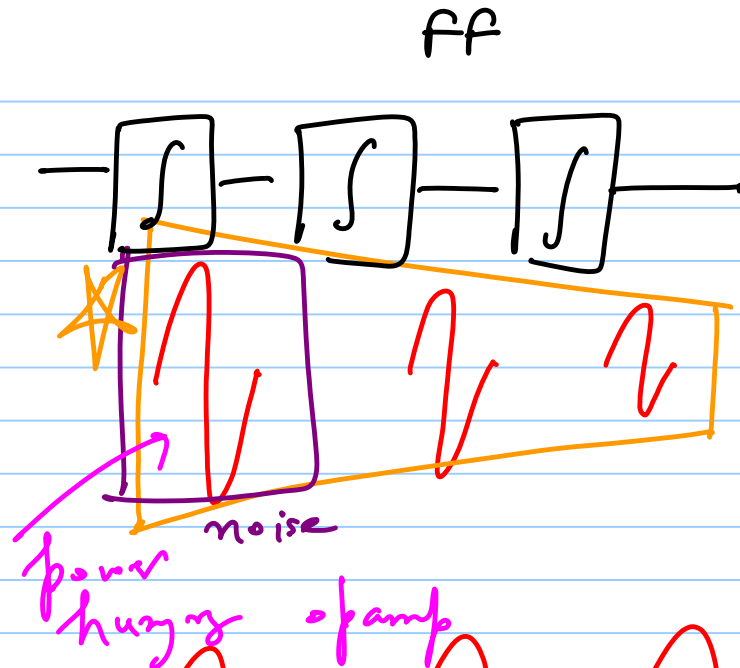
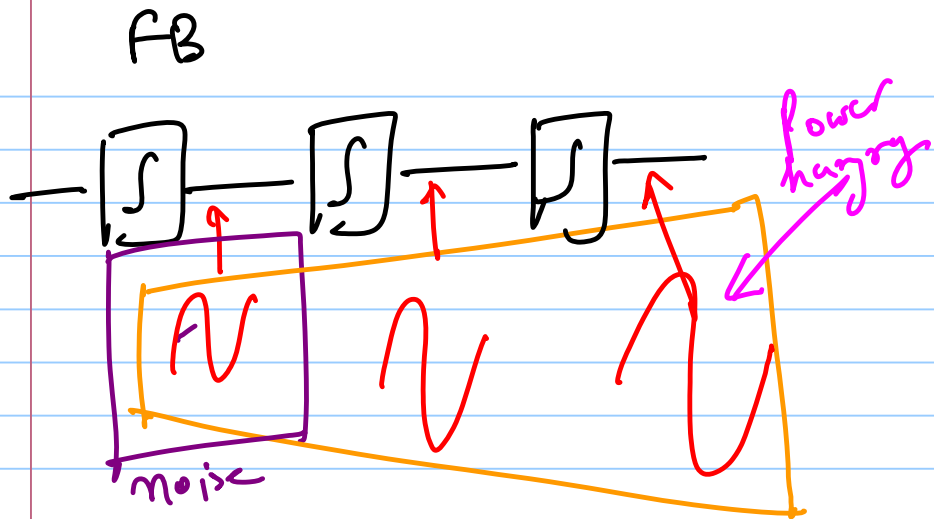
CRFF



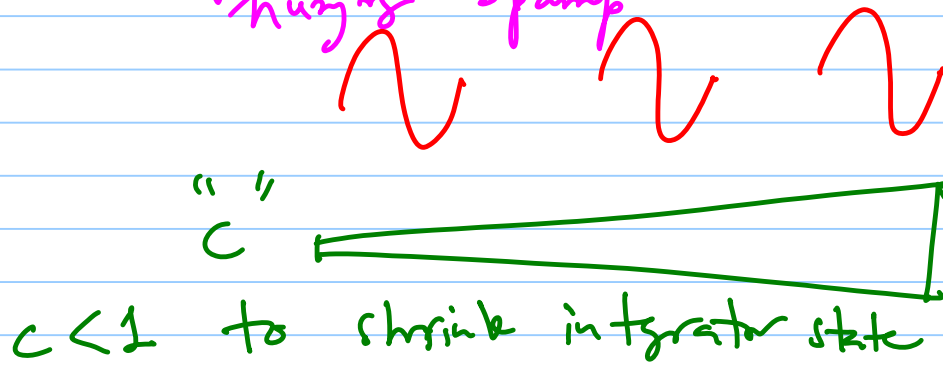
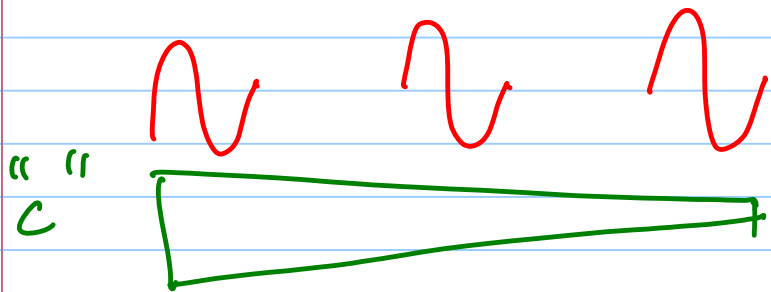


CLFF





Dynamic Range scaling.



## Comparison:

### Feedforward

### Feedback

① FF has relaxed dynamic range requirements

Integrators contain significant amount of signal + quantization noise

② STF peaking

STF is low-pass

③ only 1 DAC reqd.

many feedback DACs

④ Need summation block

—

⑤ Timing can be tricky for  $bw_{T1} \geq 1$

—

- ⑥ first integrator is fastest
- ⑦ first opamp is power hungry  
due to noise  
"golden opamp"
- ⑧ Small capacitor area

Last integrator is fastest  
(has max signal content) X  
first opamp is power hungry  
due to noise

Large cap areas to accommodate  
scaling of large integrator  
swings (c < t)

↳ DRs results in large  
c's  
↳ layer layout  
↳ more power

\* If STF/AAF is not an issue, FF architecture is generally preferred.

# Dynamic Range Scaling!

