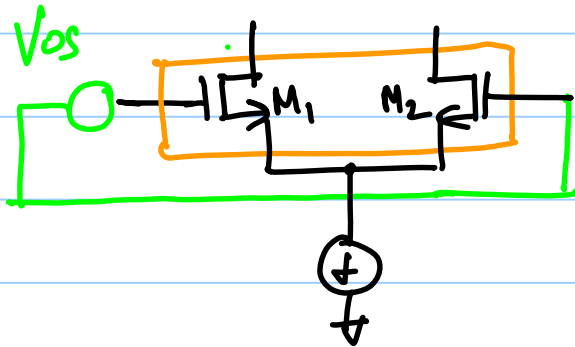


ECE 614 - Lecture 21

Note Title

11/4/2014

* Offset Cancellation Techniques



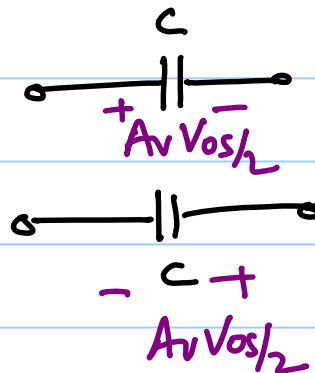
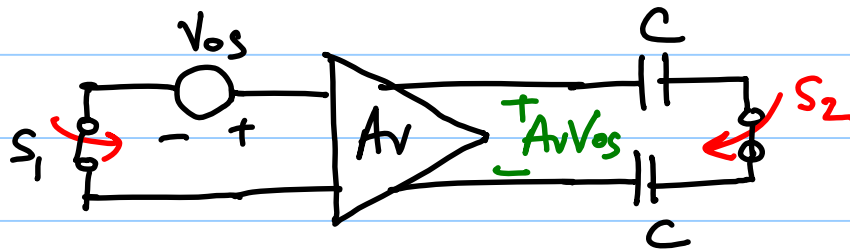
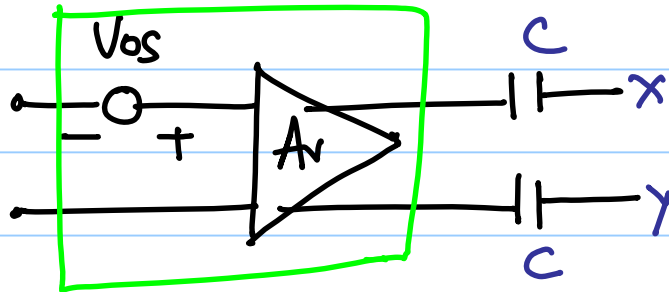
$$V_{os} = \Delta V_{THN} + \frac{1}{2} V_{ov} \cdot \frac{\Delta(W/L)}{W/L}$$

$$\Delta V_{THN} \propto \frac{1}{\sqrt{WL}}$$

To reduce V_{os} , $\overbrace{WL}^{\text{Area}}$ $\uparrow$

$\Rightarrow C_{in} \uparrow \Rightarrow$ may degrade speed & performance
 $\Rightarrow$ high power consumption

* Need to electronically cancel offset

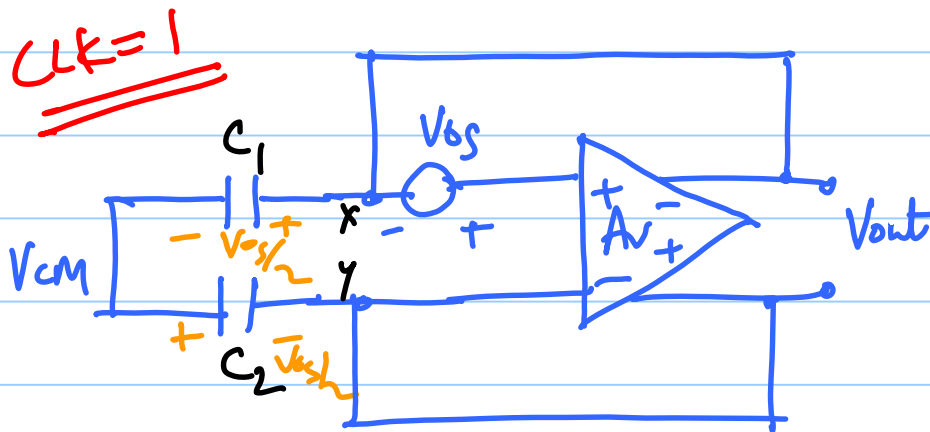
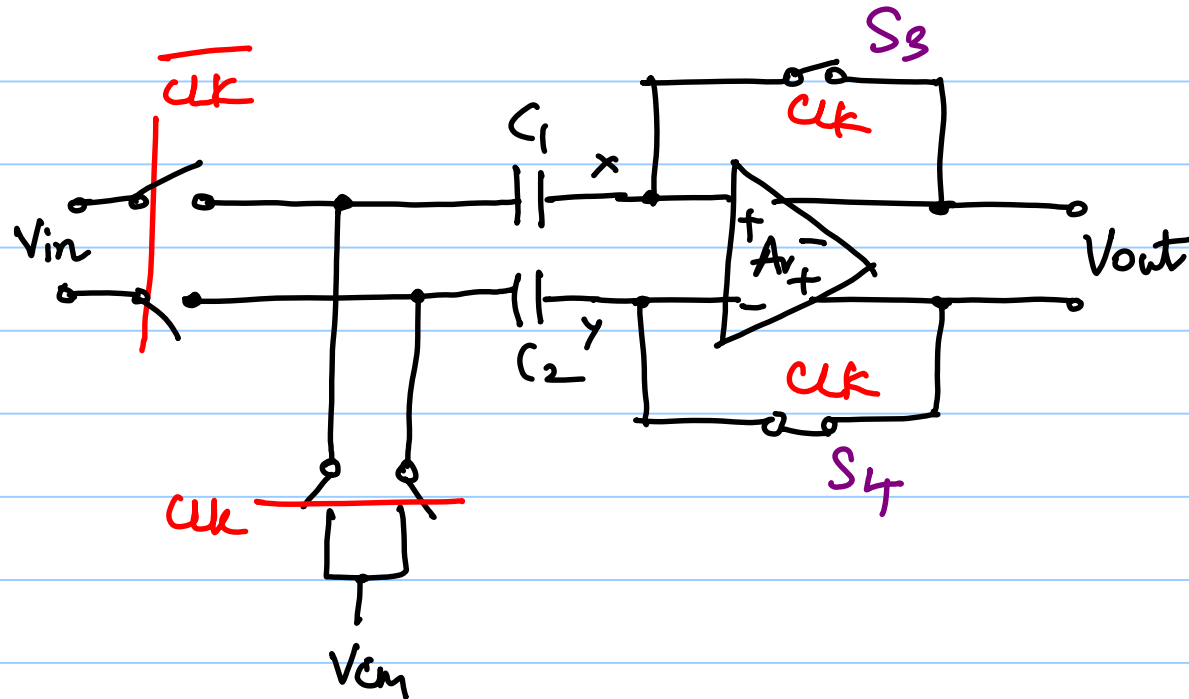


when all the voltages are settled, $A_v V_{os}$ is stored on the capacitors

But, for large $|A_v|$ the circuit can saturate
 $|A| \leq 10$

* Need to store the offset at the input side

$|A_v|$ is large
 $\Rightarrow |A_v| \gg 1$

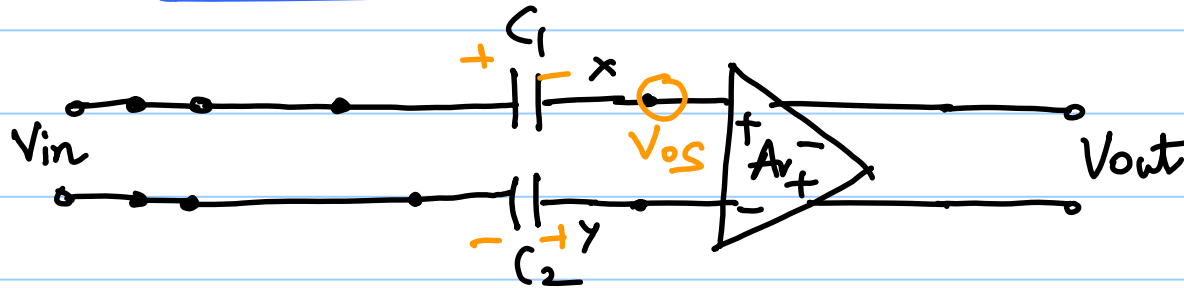


$$V_{out} = V_{xy}$$

$$(V_{out} - V_{os}) (-A_v) = V_{out}$$

$$\Rightarrow V_{out} = \frac{A_v}{1 + A_v} V_{os}$$

Input offset storage and Cancellation

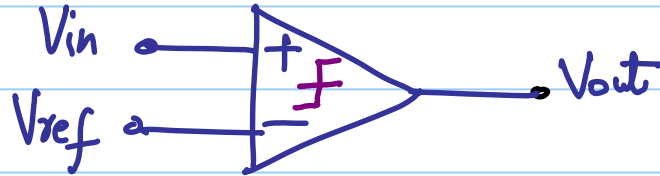


$$\begin{aligned} \frac{A_v}{1+A_v} V_{os} - V_{os} &= V_{os} \left[\frac{\cancel{A_v} - 1 - \cancel{A_v}}{1+A_v} \right] \\ &= -\frac{V_{os}}{1+A_v} \approx -\frac{V_{os}}{A} \end{aligned}$$

Input referred offset is $\frac{V_{os}}{A}$

not zero!

Regenerative Comparators

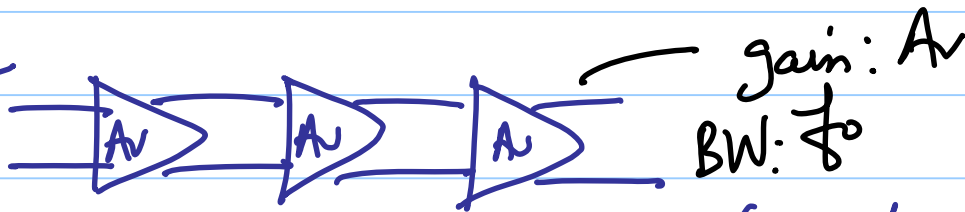


if $V_{in} > V_{ref} \Rightarrow V_{out} = V_{DD}$
else $V_{out} = 0$.

high input resolution $\Rightarrow \sim 1 \mu V \Rightarrow$ high gain

high speed operation $\Rightarrow$ high speed

Ideal



$\Rightarrow$ Cascade several stages to get large gain

n stages

$$\text{gain} = A_v^n$$

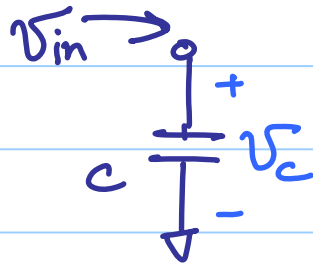
$$\frac{A_v^n}{(1 + jf/f_0)^n}$$

$$f_{3dB,n} = \frac{1}{2\pi} \sqrt{2Y_m - 1}$$

Idea 2: use positive feedback

Let's say we want to compare V_{in} with $V_{ref} \triangleq 0$.

input
on the
sampled
Capacitor C

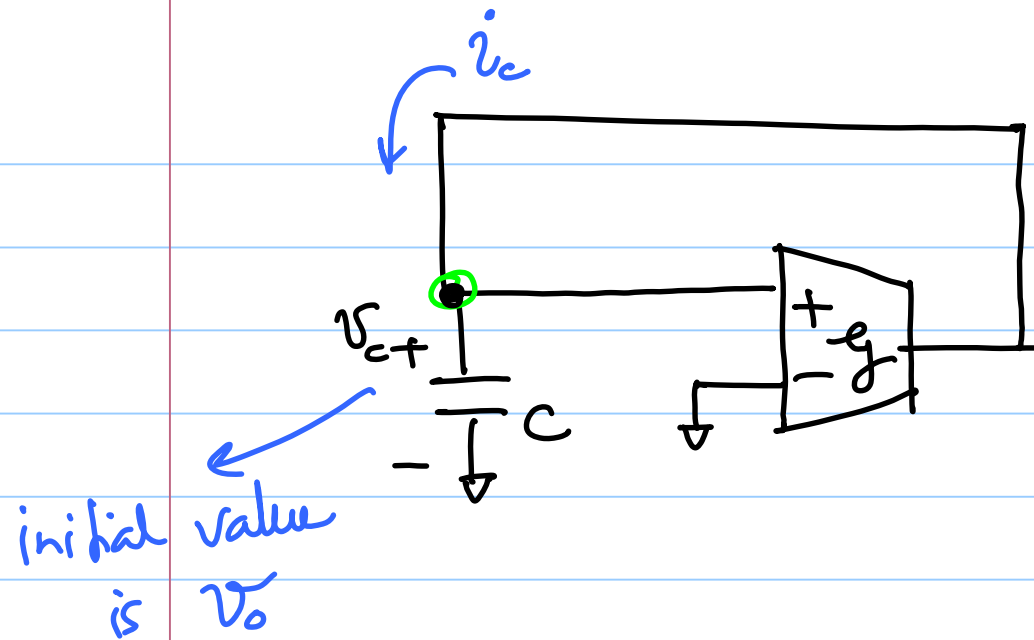


* Add more charge if $V_{in} > 0$

$\Rightarrow$ inject current into C

$\Rightarrow V_c$ will reach ∞

* Conversely, steal current from C
 V_c will decrease to $-\infty$



$$@ t=0, \quad v_c = v_0$$

$$@ t \rightarrow \infty$$

$$v_c \rightarrow \infty \text{ for } v_0 > 0$$

$$v_c \rightarrow -\infty \text{ for } v_0 < 0$$

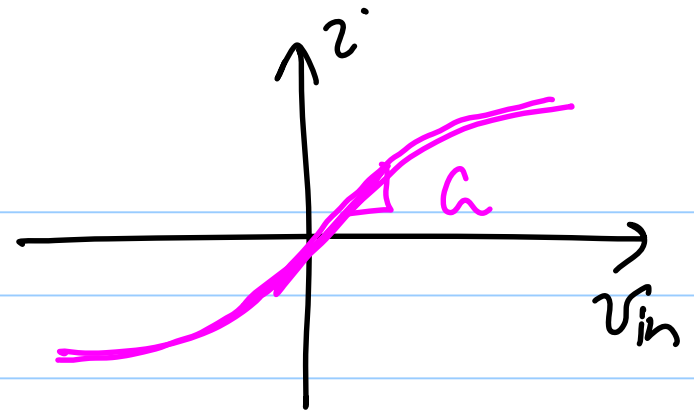
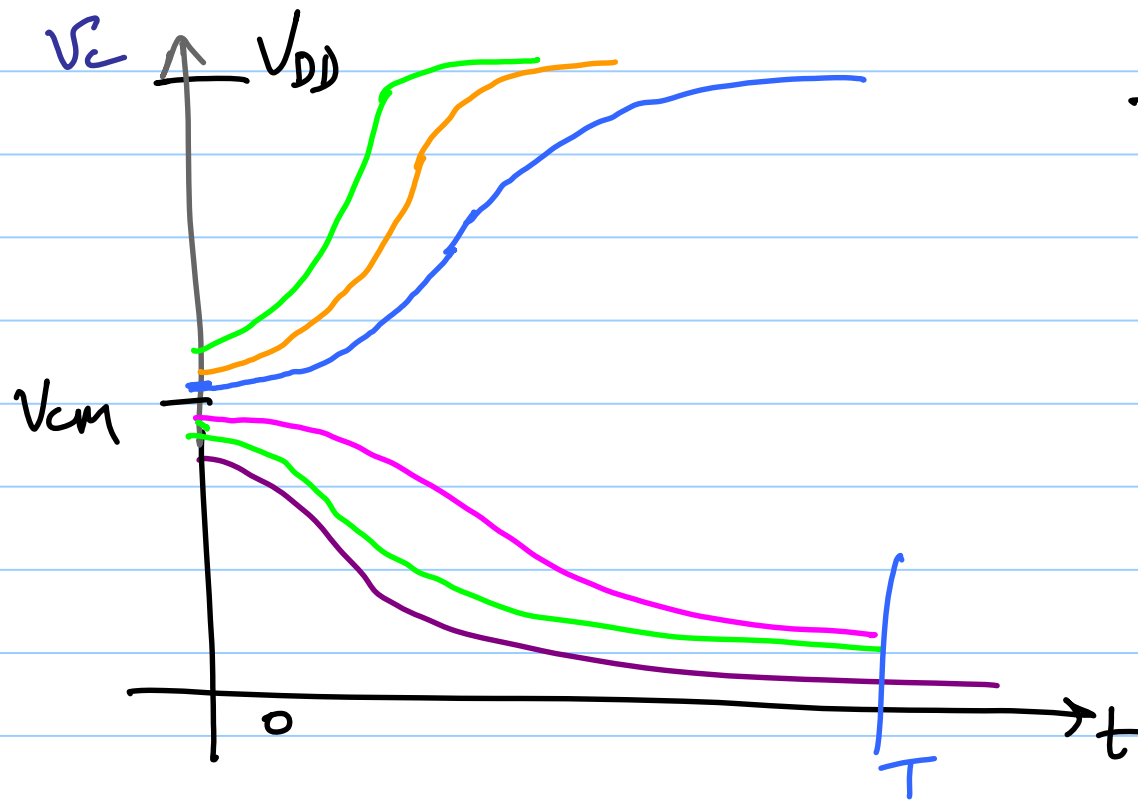
$$i_c = C \frac{dv_c}{dt} = g v_c$$

$$v_c(t) = v_0 e^{+\frac{tG}{C}}$$

$$\text{time-constant } \tau = \frac{C}{G}$$

pole in the RHP

$\Rightarrow$ will eventually hit the rails



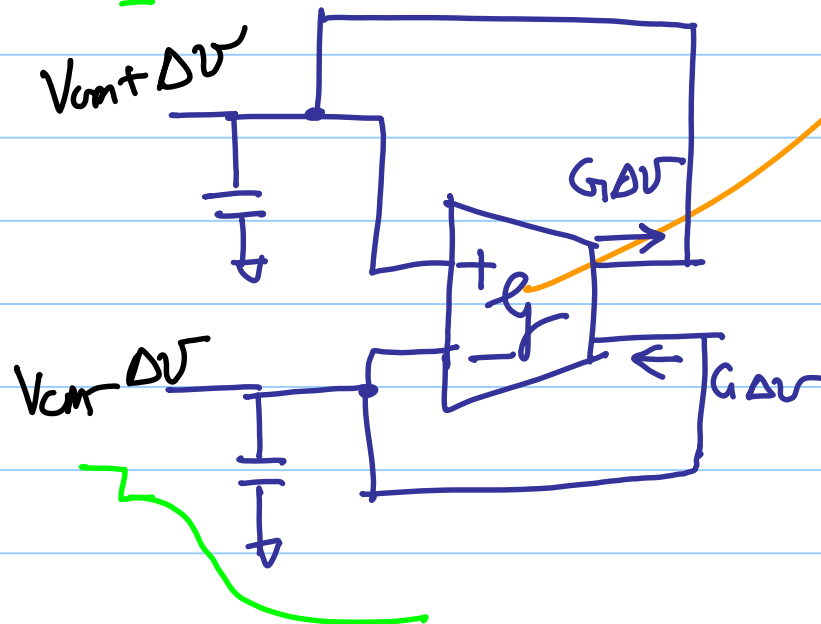
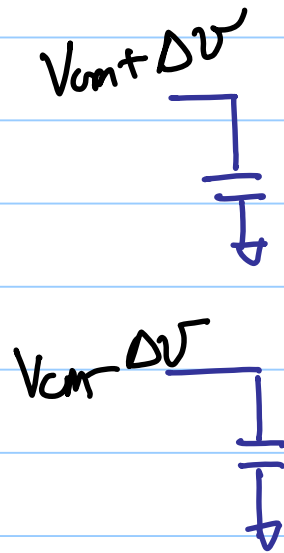
$$\tau_c = \frac{C}{G} \Rightarrow \text{regenerative time-constant}$$

* minimum resolvable voltage $\sim \frac{V_{DD}}{e^{TG/C}}$, T is the settling time

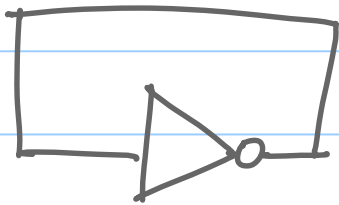
Differential Signals:

Compare the two inputs and figure out if the difference is true or -ve.

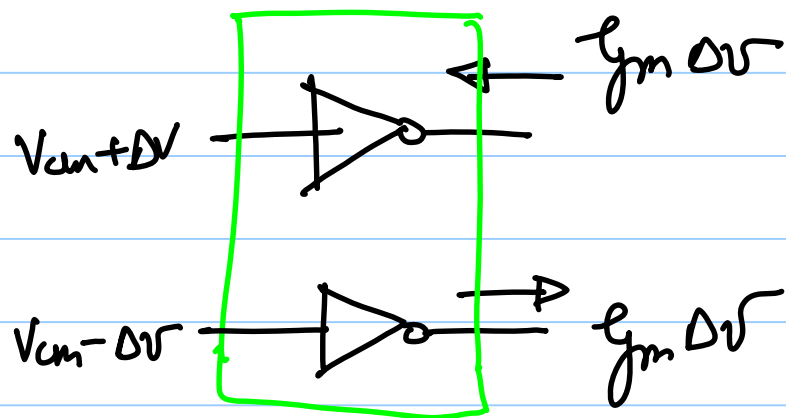
ΔV is the initial signal



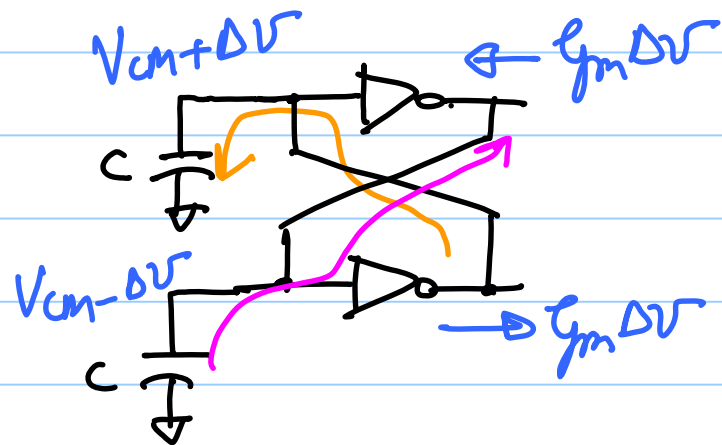
Differential transconductance



high gain around the V_{sp}



differential g_m



redraw

