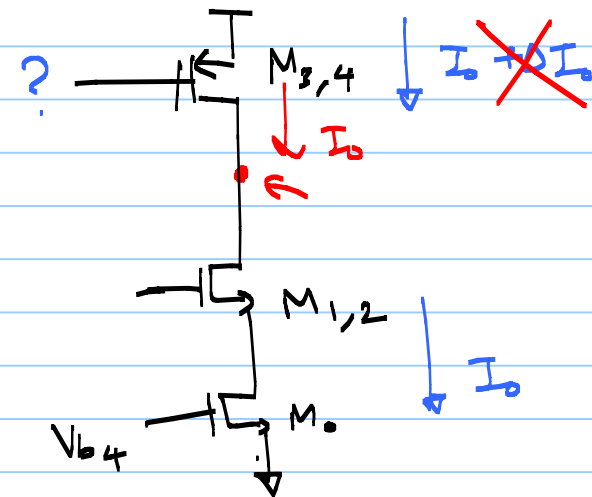
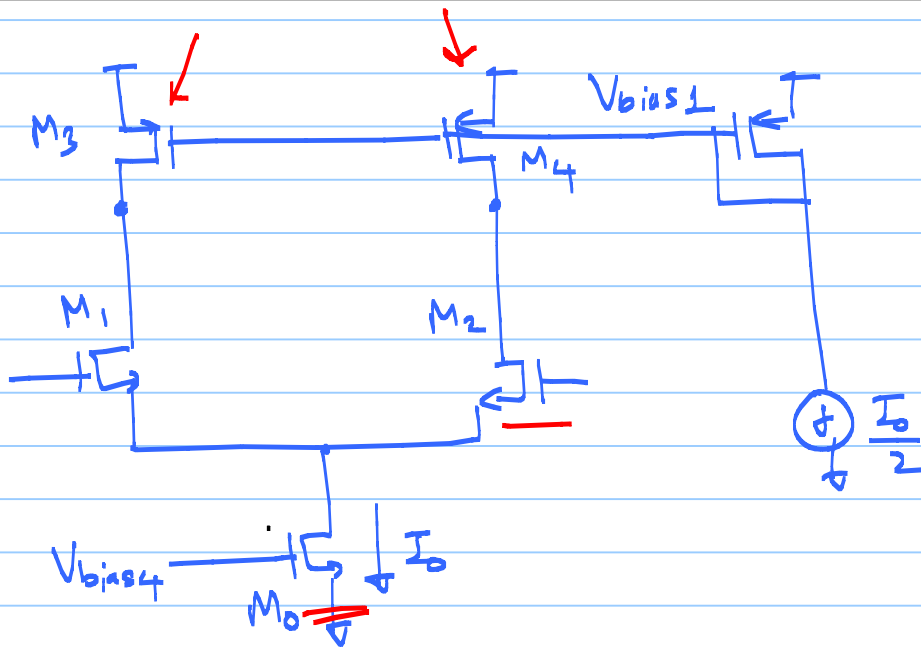


ECE 614 - Lecture 2

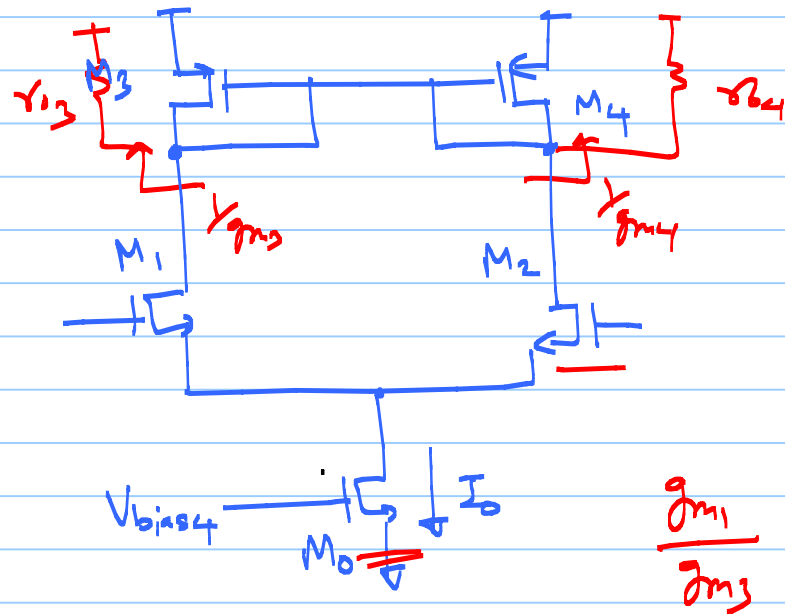
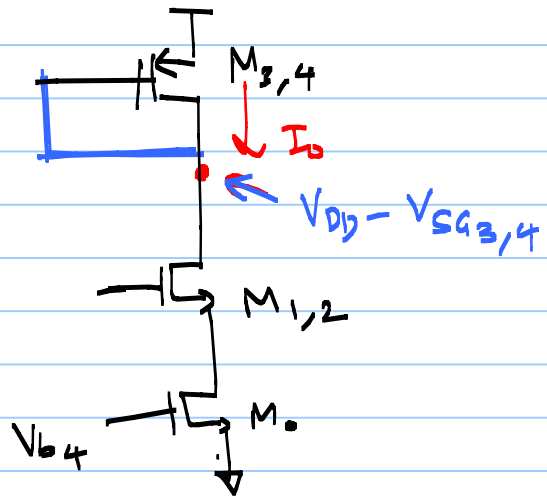
Note Title

8/31/2012

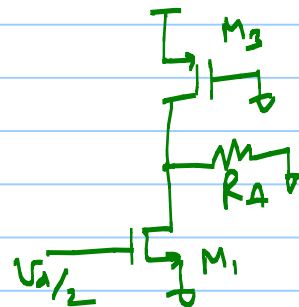
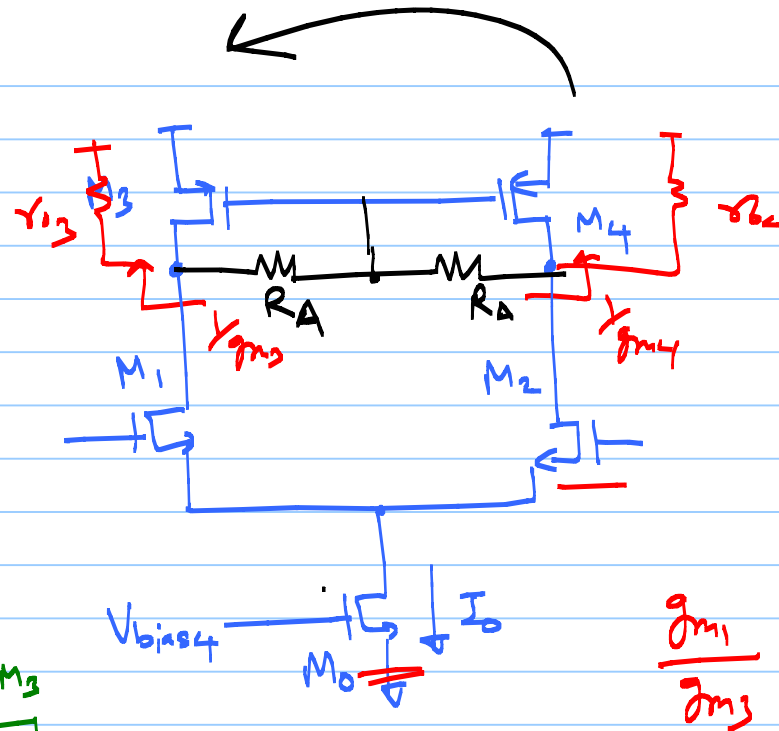
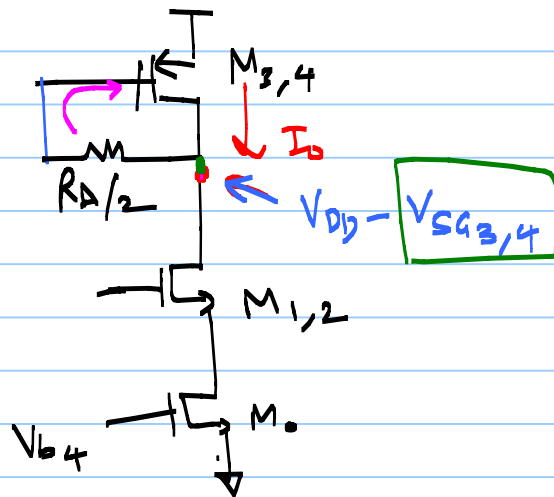
CM equivalent



CM picture

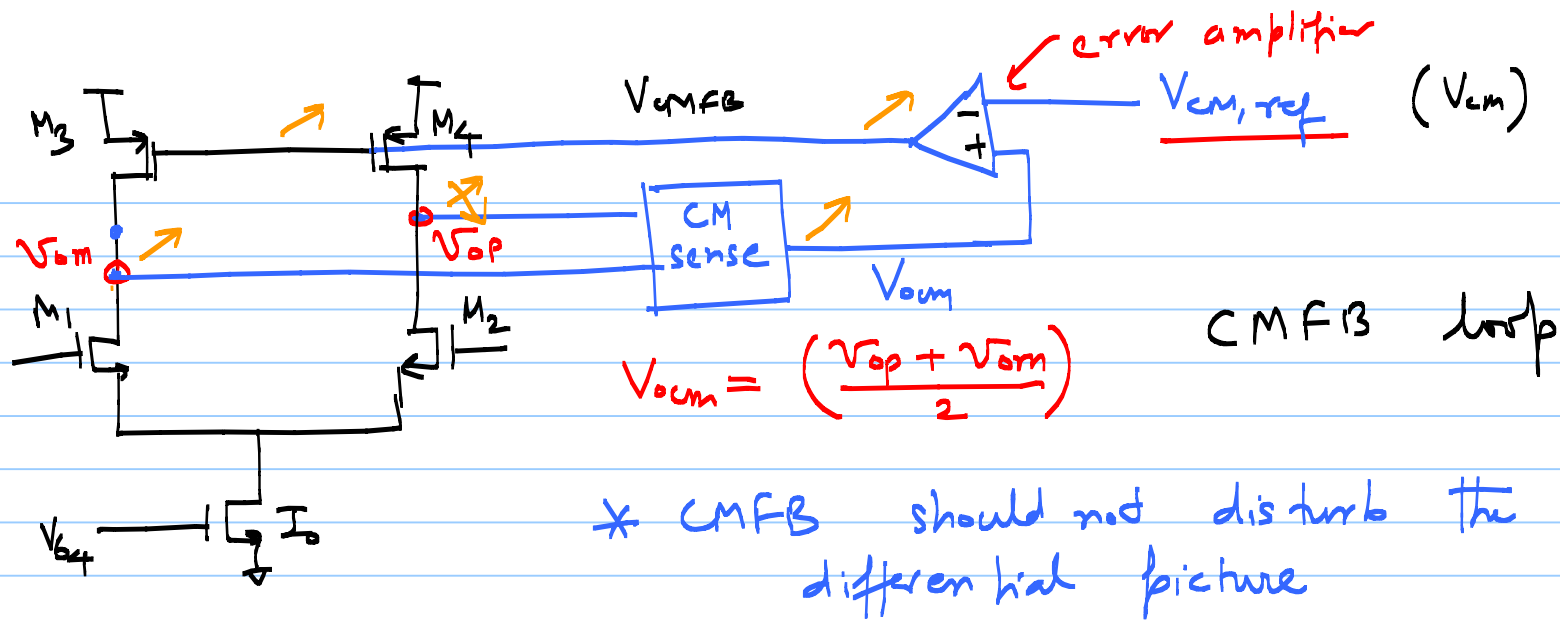


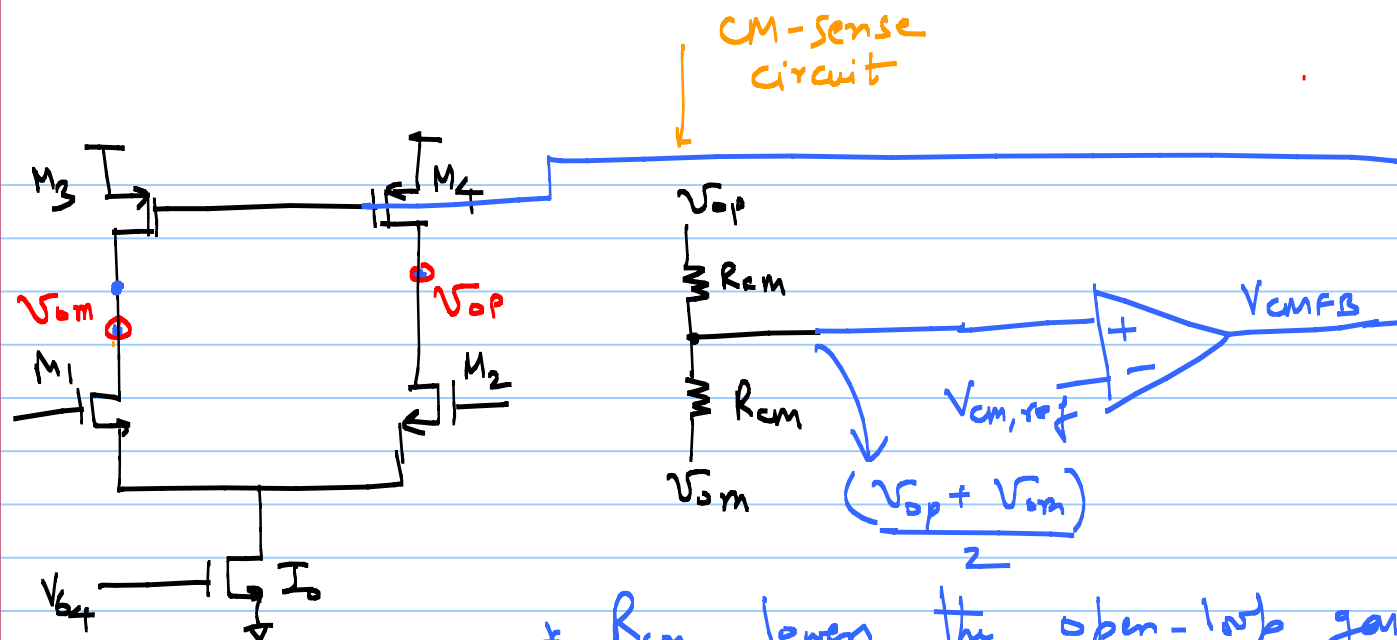
CM picture



$$-g_{m1}(y_{0,1} || y_{0,3} || R_A)$$

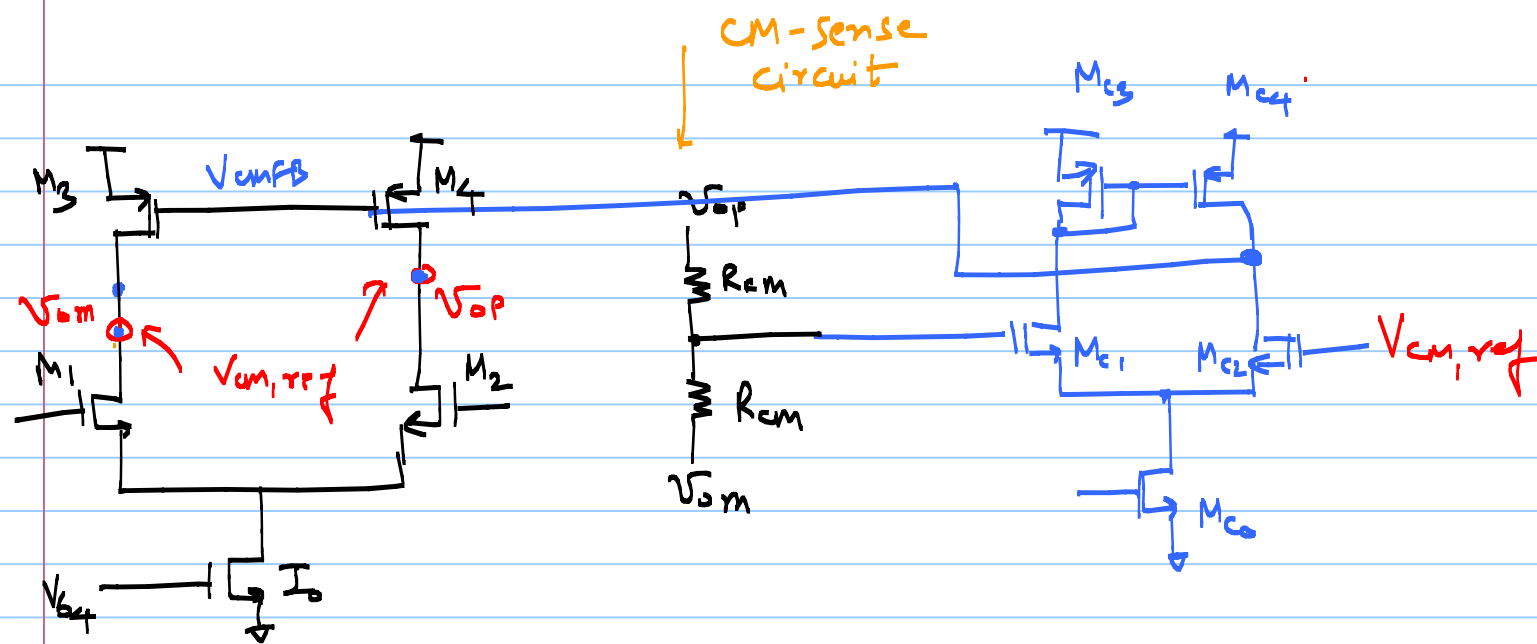
$$\frac{g_{m1}}{g_{m3}}$$



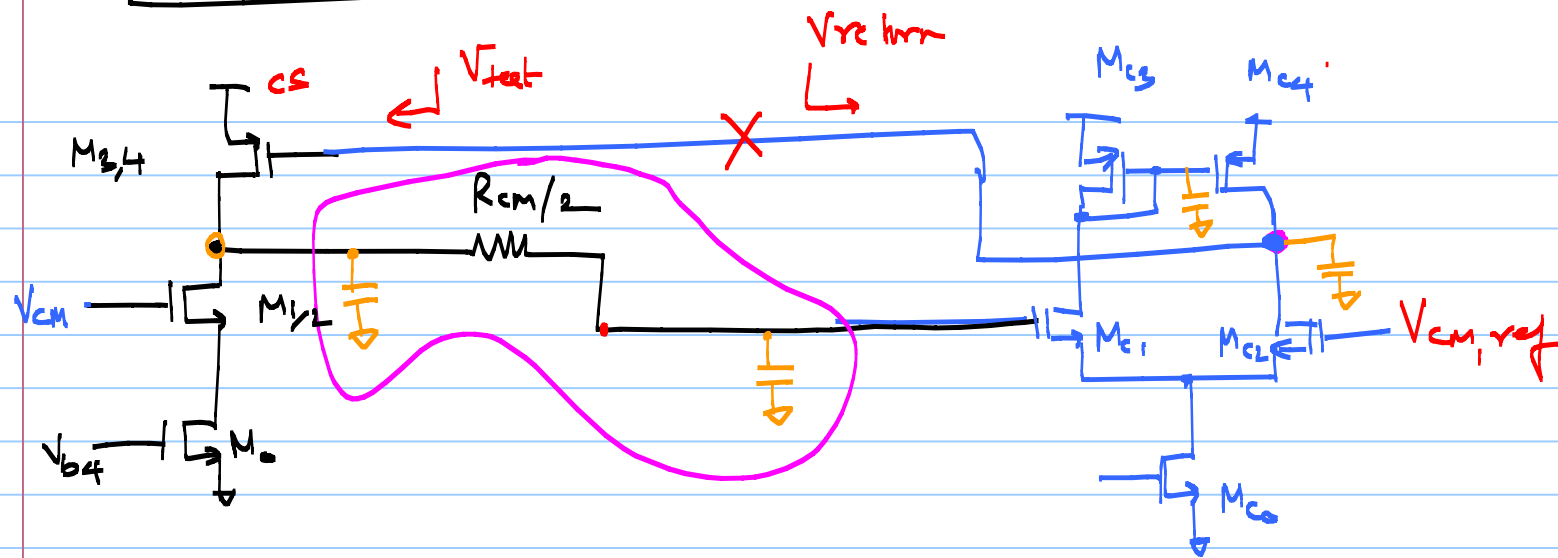


* R_{cm} lowers the open-loop gain

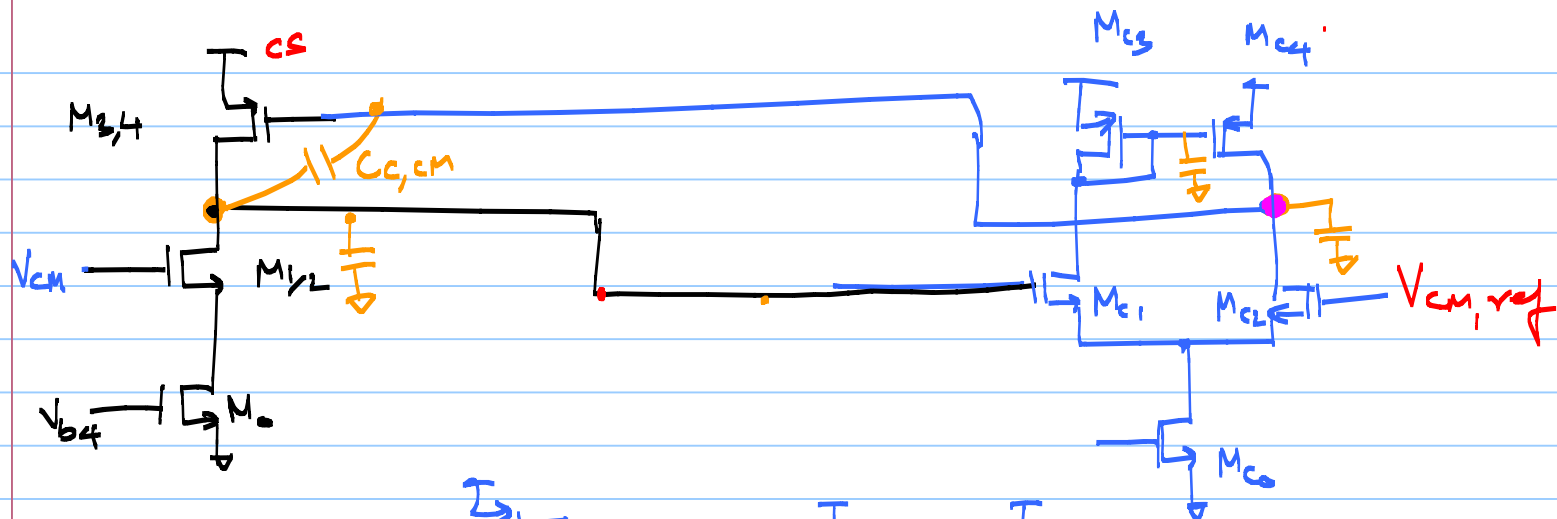
↳ can't use it for single-stage opamps



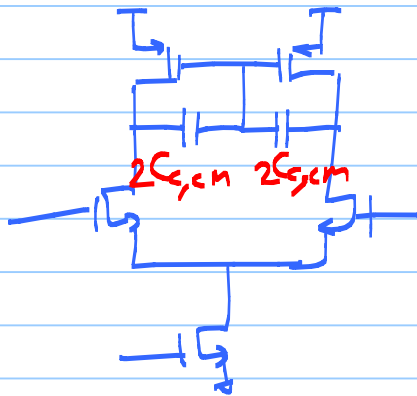
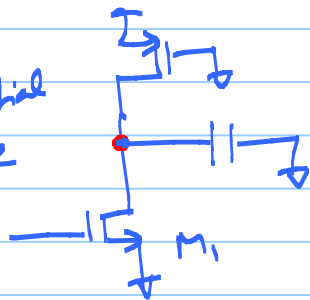
CM picture



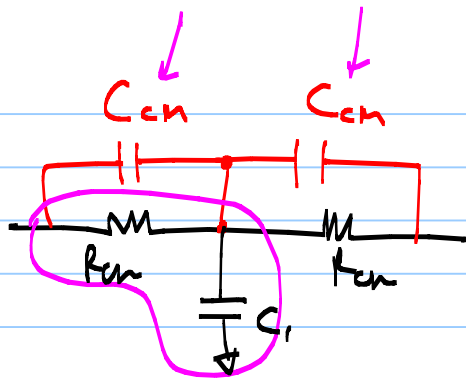
* Let's ignore Ram for now



Differential picture



- * loading the differential amplifier



at high frequencies:

$$V_{ocm} = V_{op} \left(\frac{C_{cm}}{2C_{cm} + C_1} \right) + V_{om} \left(\frac{C_{cm}}{2C_{cm} + C_1} \right)$$

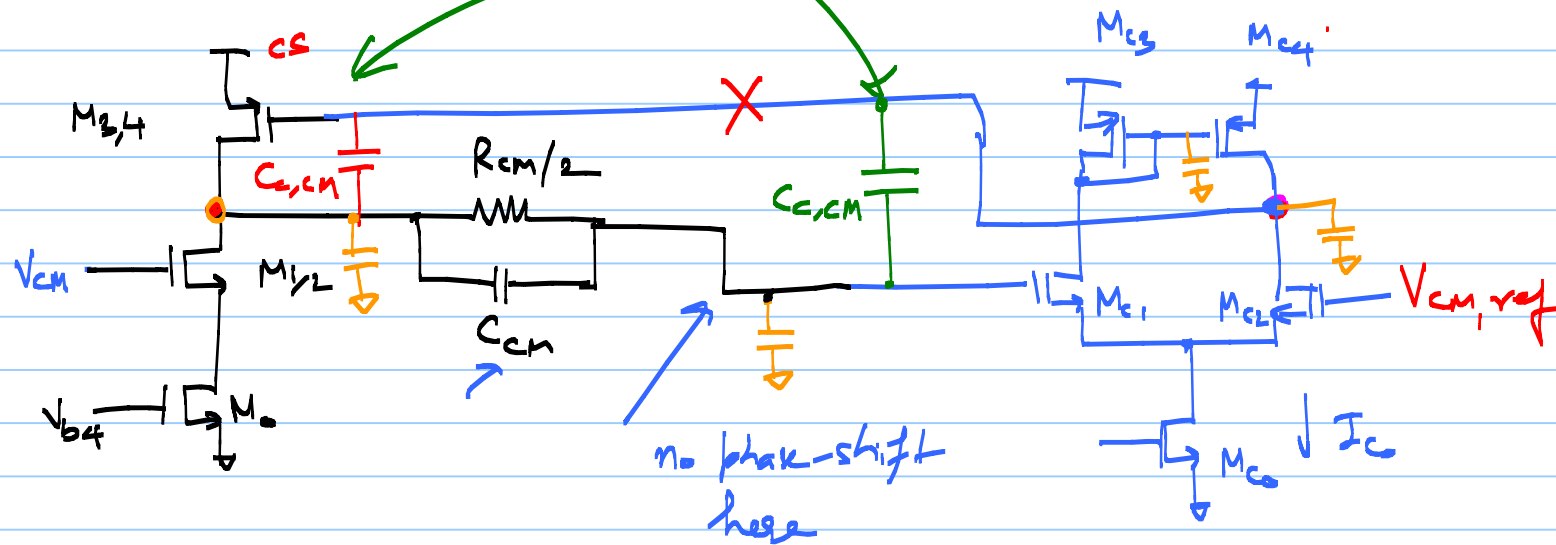
$$= \left(\frac{V_{op} + V_{om}}{2} \right) \times \left(\frac{2C_{cm}}{2C_{cm} + C_1} \right)$$

gain < 1

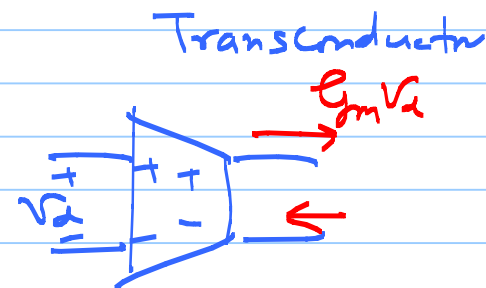
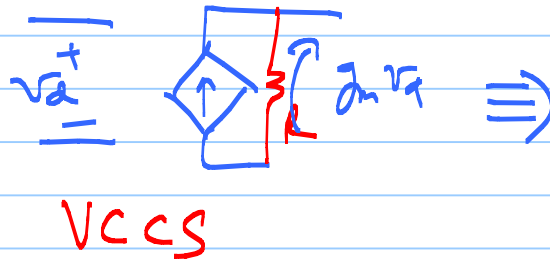
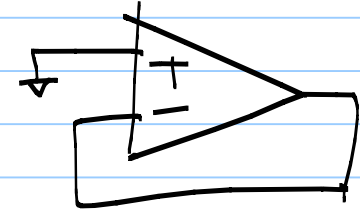
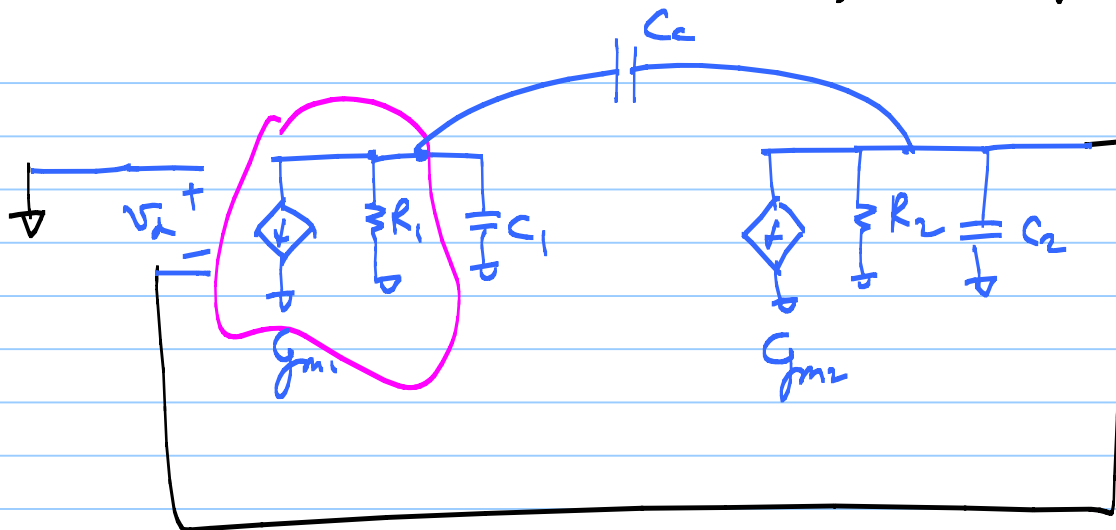
$$\Rightarrow C_{cm} \geq C_1$$

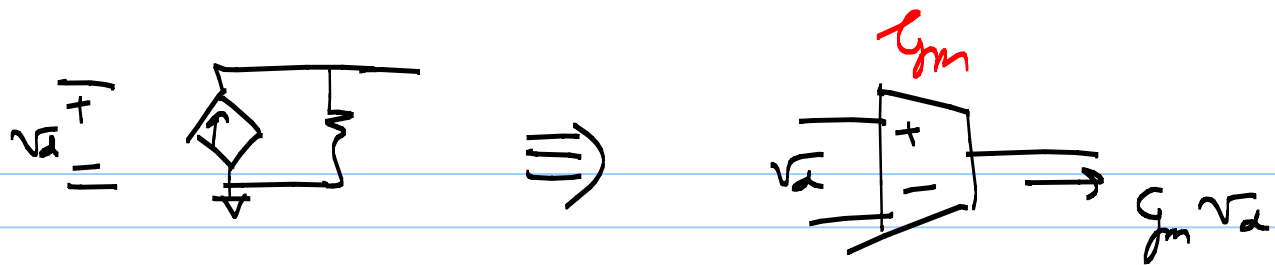
* No lag at high frequencies.

either of the two



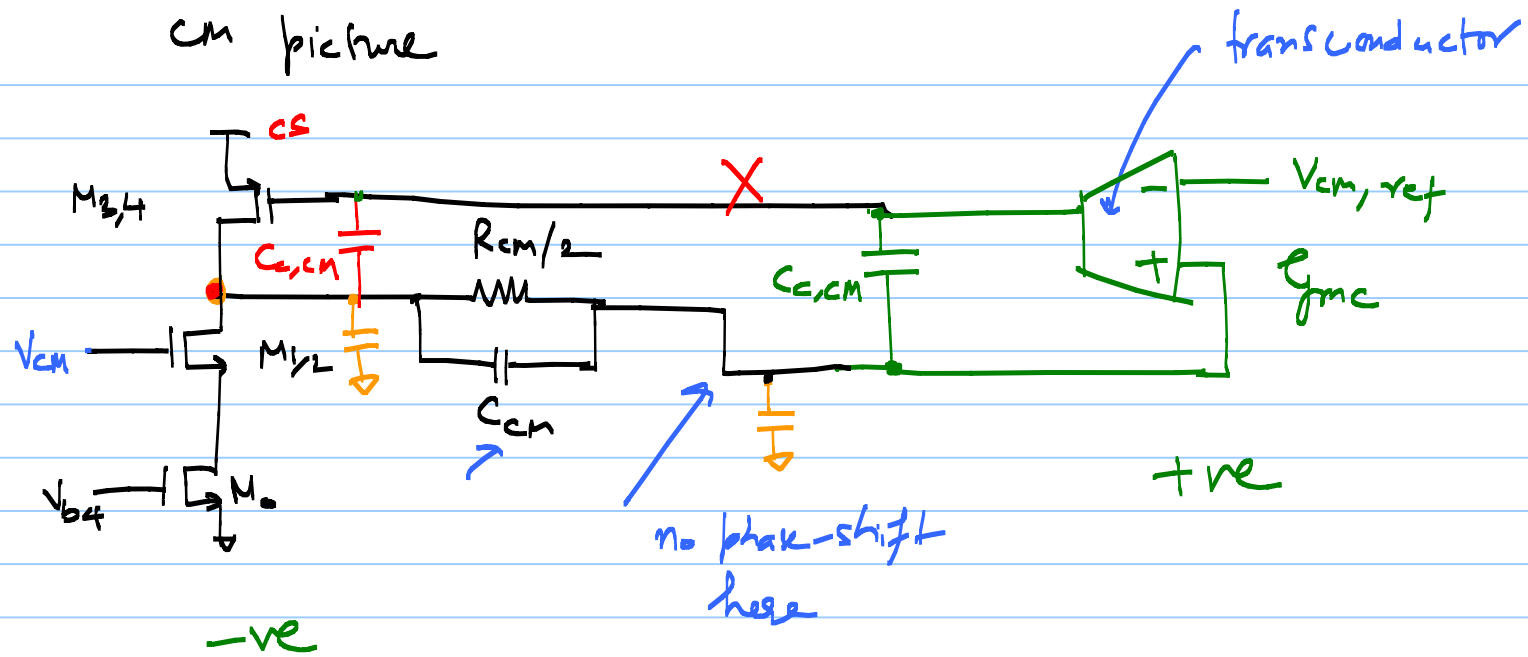
Miller-compensated two-stage amplifier

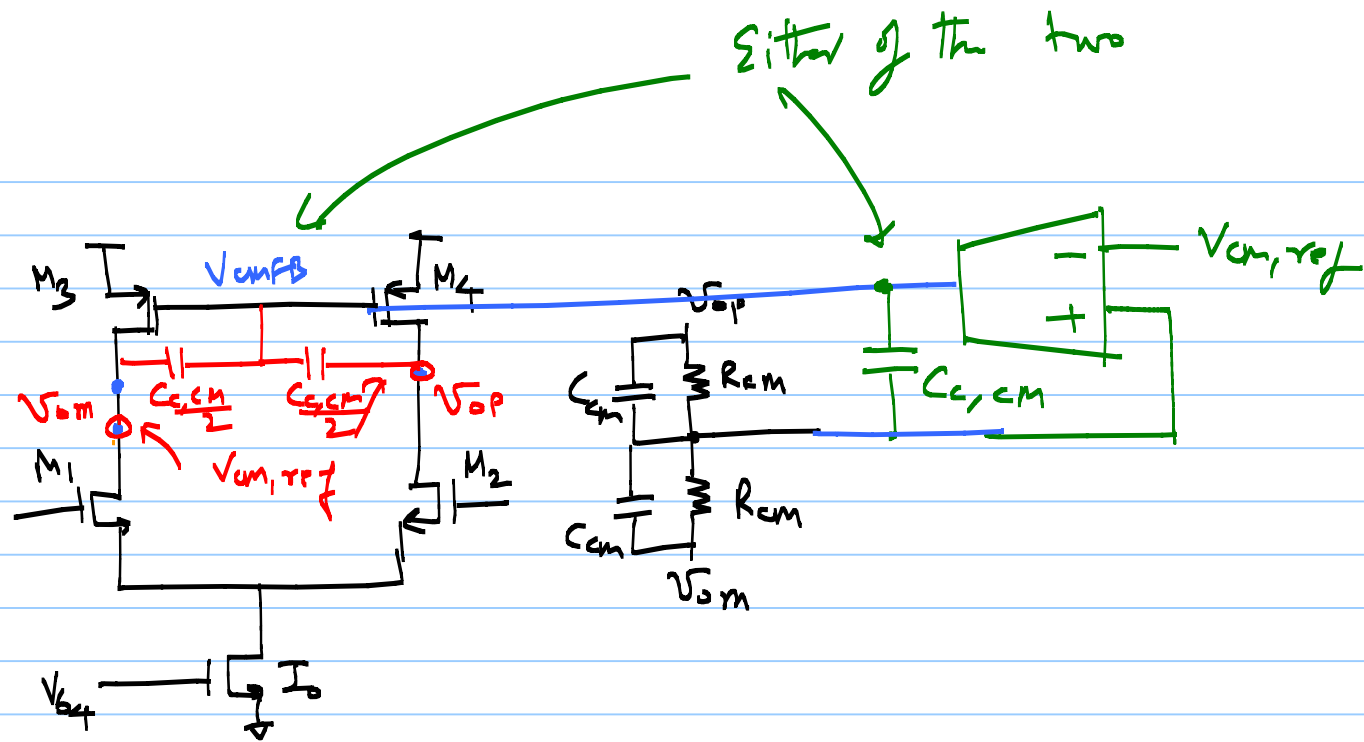




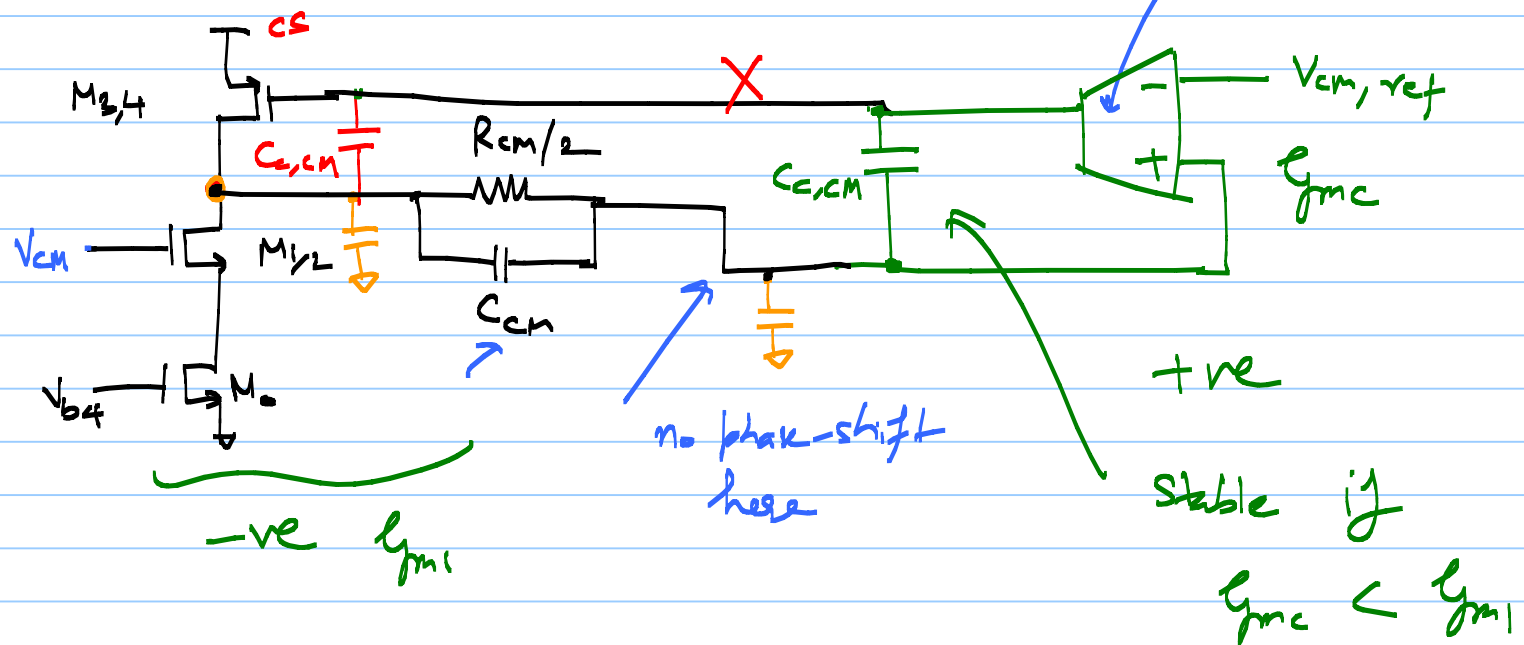
Simplified Schematic

CM picture

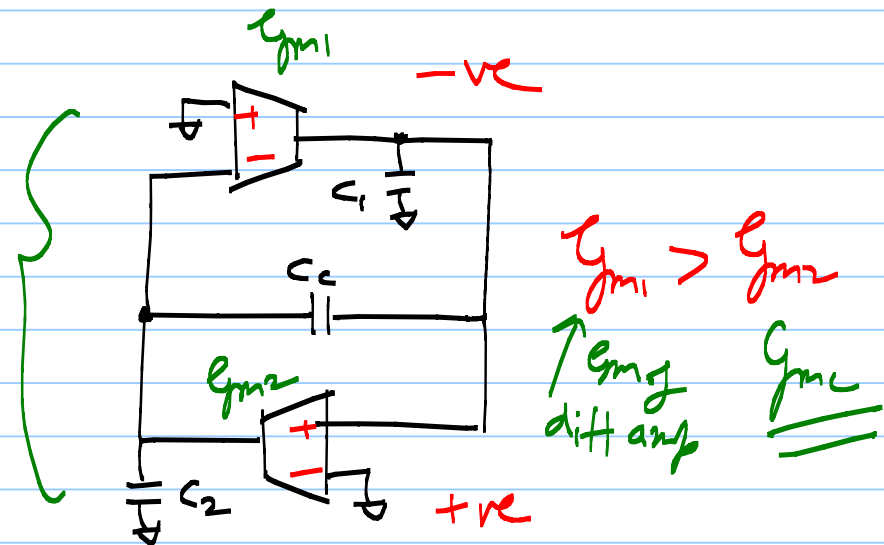
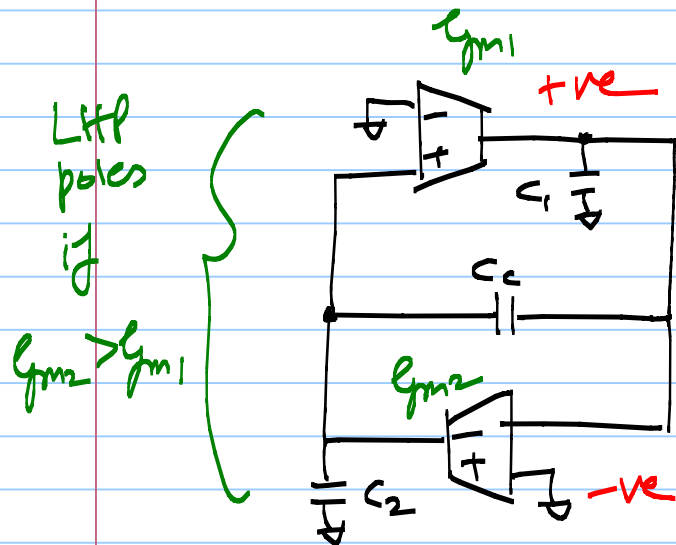
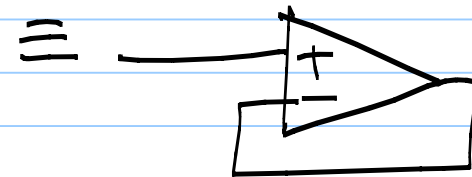
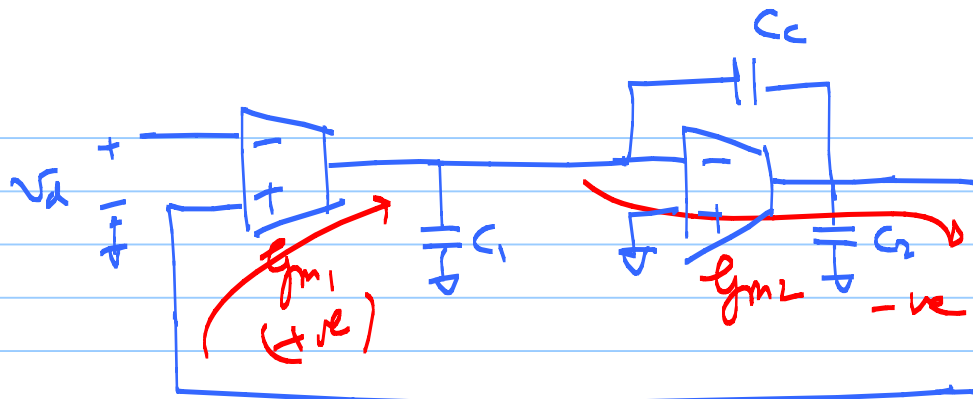




cm picture



2-Stage Miller Compensated amp/loop



$$\omega_{u, \text{CMFB}} \equiv \frac{g_{mc}}{C_{e, \text{cm}}}$$