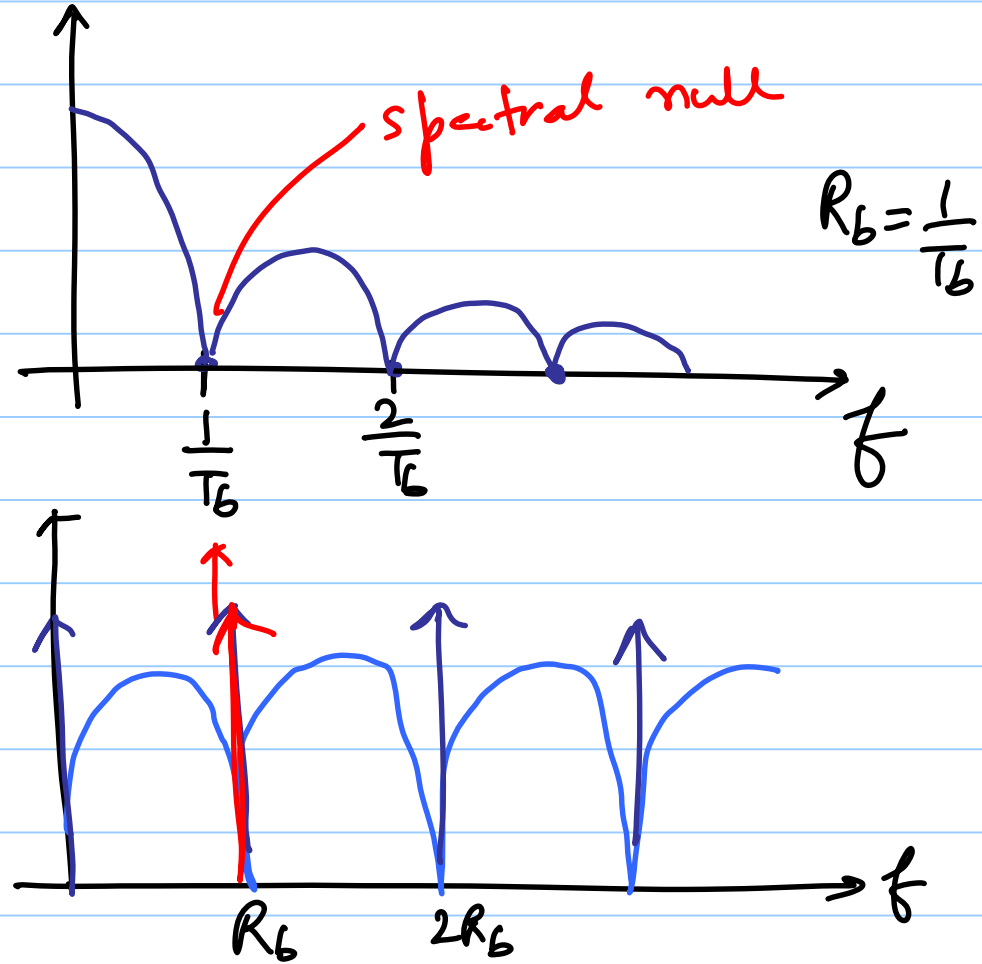
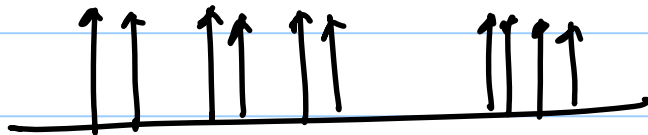
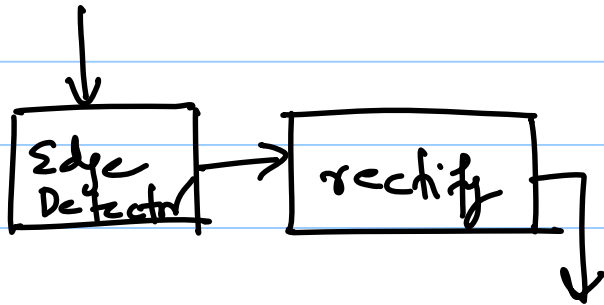
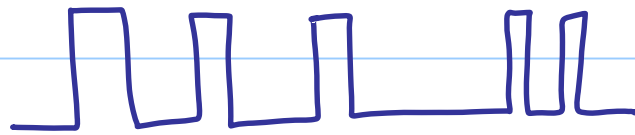


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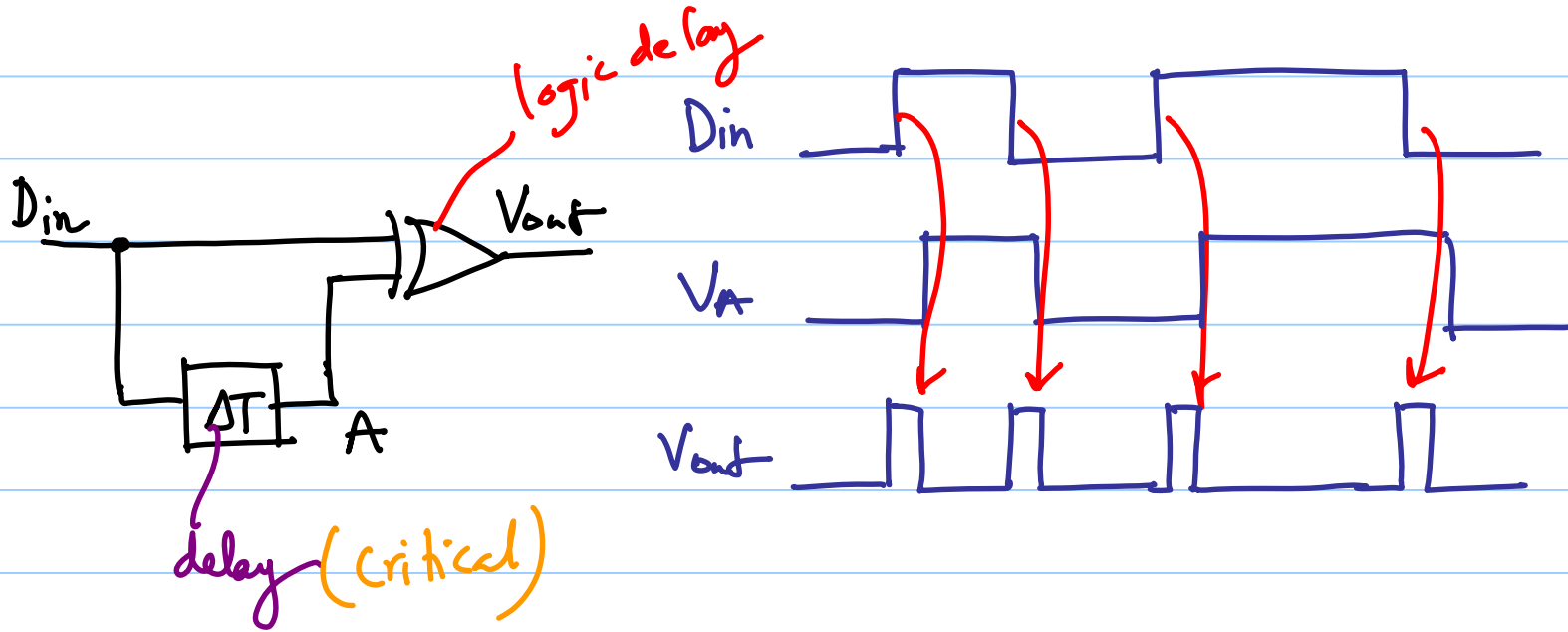
Note Title

4/21/2015

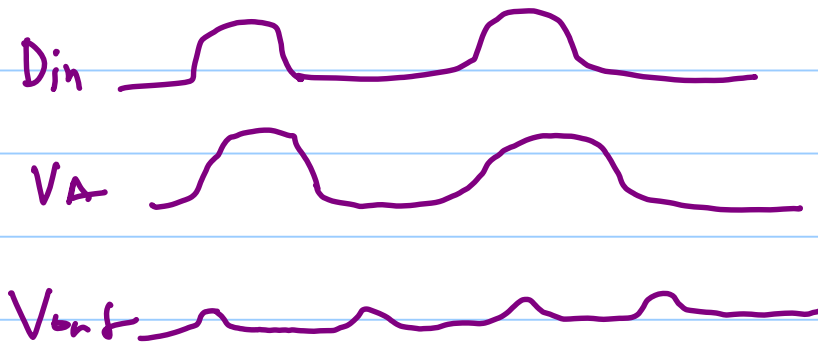
Din



Edge Detector

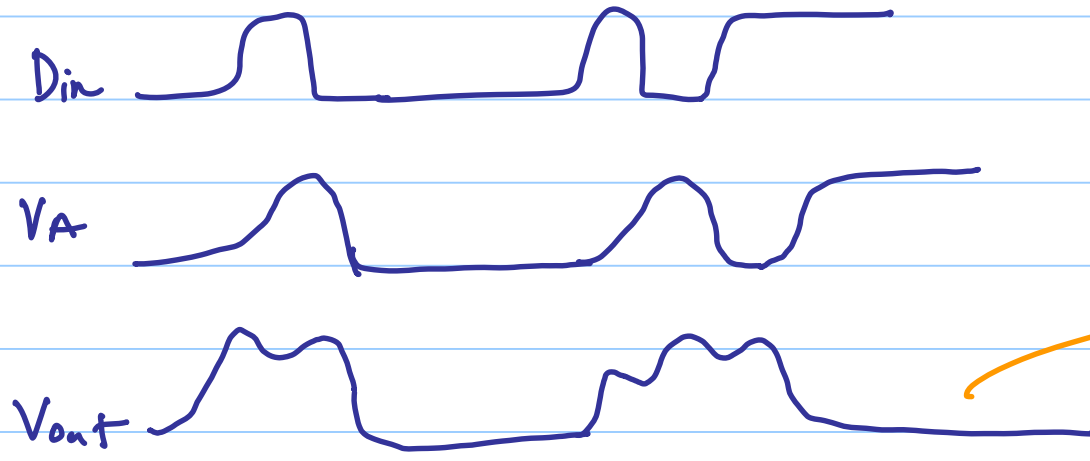


(i) If ΔT is not sufficiently large



→ very little energy at frequency R_b

(ii) if ΔT is too large $\approx T_b$



effectively no edge detection

Phase Detection:

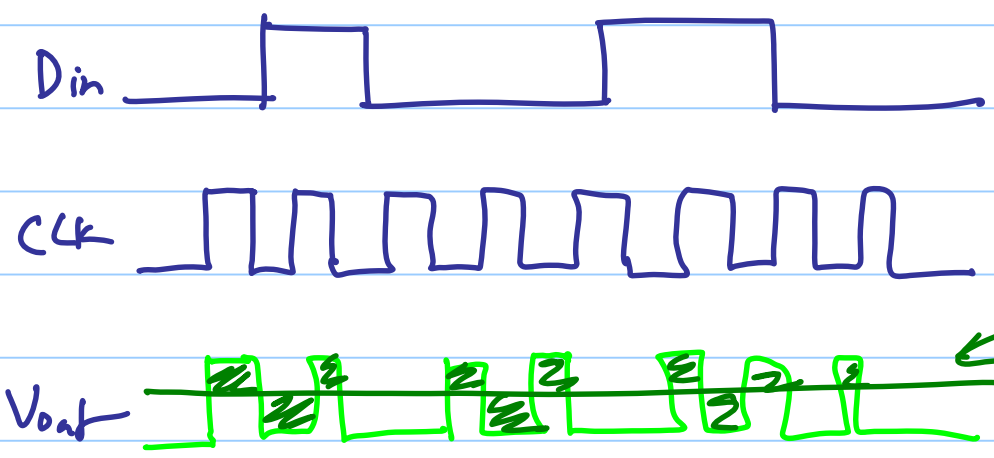
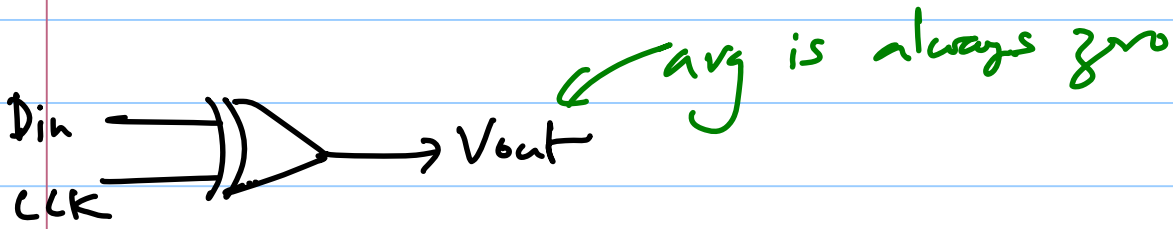
* following edge detection we need to generate clock that samples data at its peak value

↳ measure the phase difference b/w the data edges & clock to drive the VCO towards the desired value.

↳ PLL

* Since the spectrum of random data has null at the bit-rates, PD/PFD used for periodic clocks completely fail.

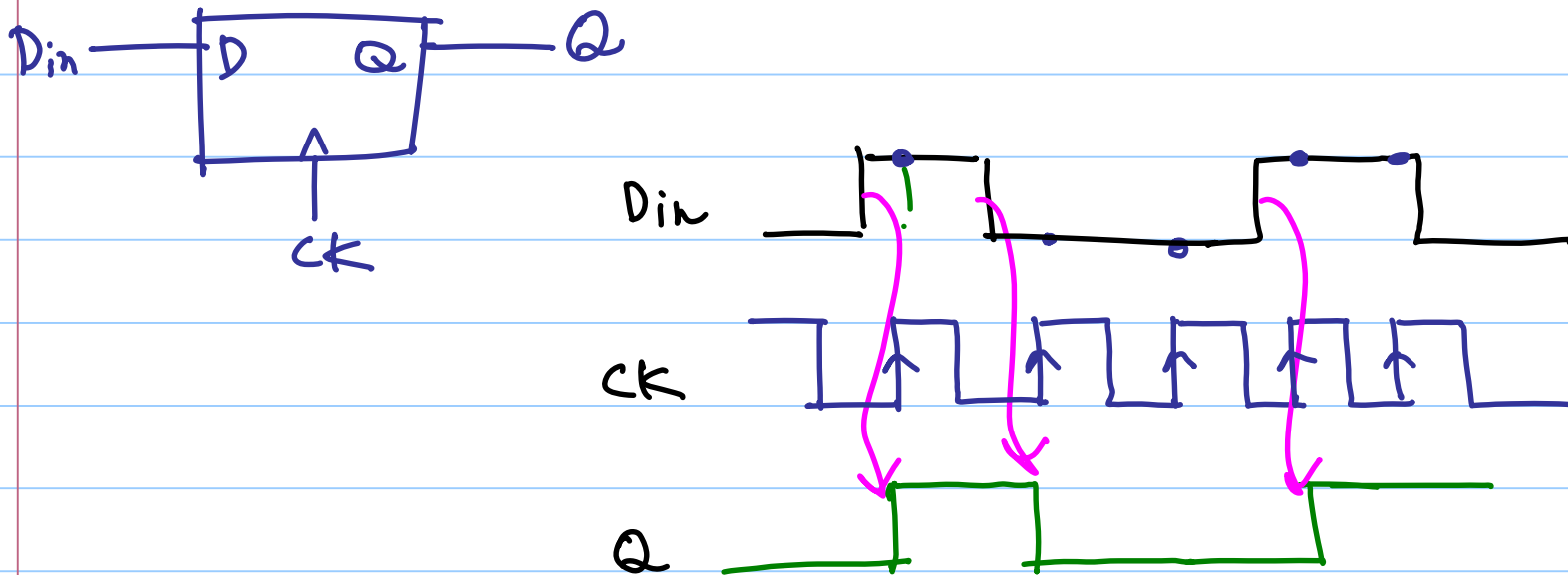
↳ can't use XOR, tri-state PFD



← Average is always zero

1's & 0's occur with equal probability irrespective of $\Delta\phi$

How about DFF for phase-detection:



$Q \Rightarrow$ delayed replica of D_{in}

$\hookrightarrow \arg(Q)$ has no signal content

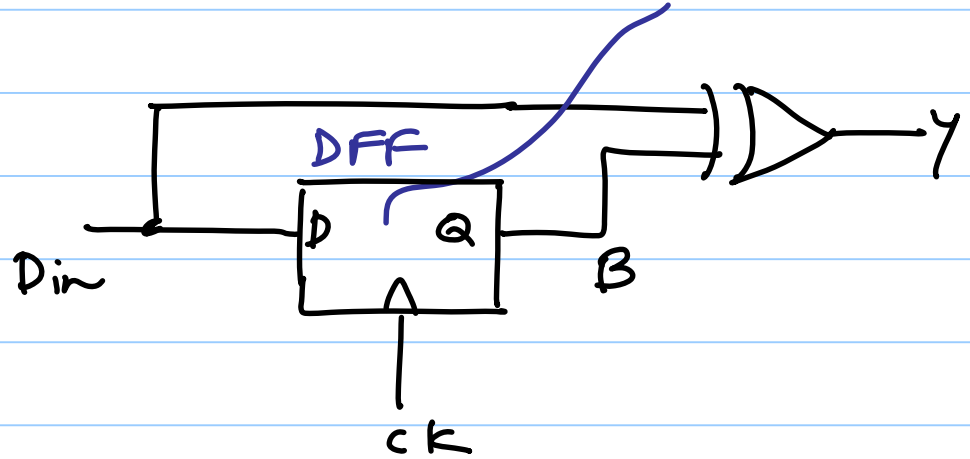
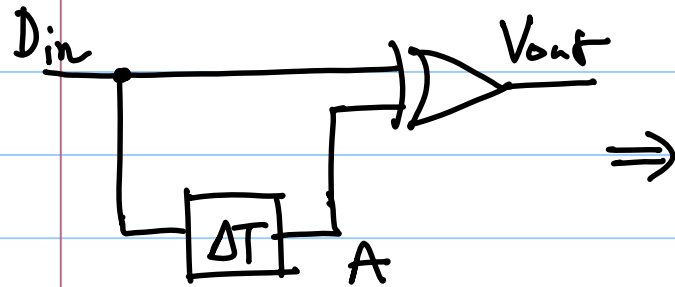
\hookrightarrow doesn't work!

Phase Detectors for Random Data

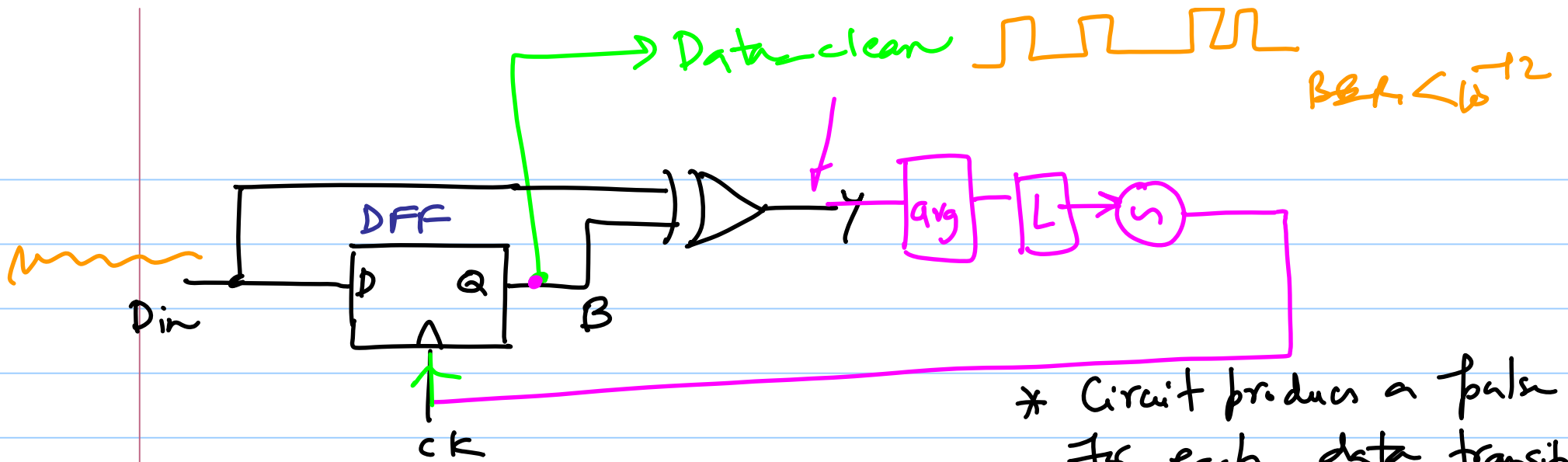
PD's for random data must perform

- ① data transition (edge) detection
- ② phase difference detection wrt to VCO CLK

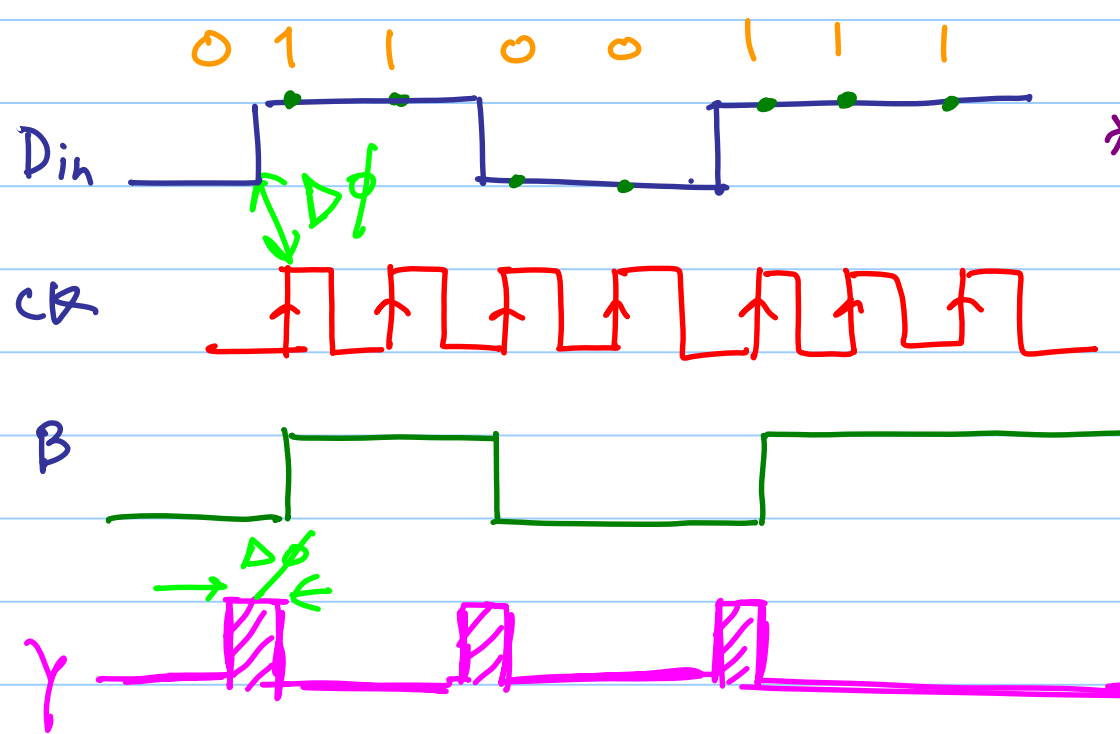
① Hogge PD:



Current Mode Logic
↑
CML FF @
high-frequencies

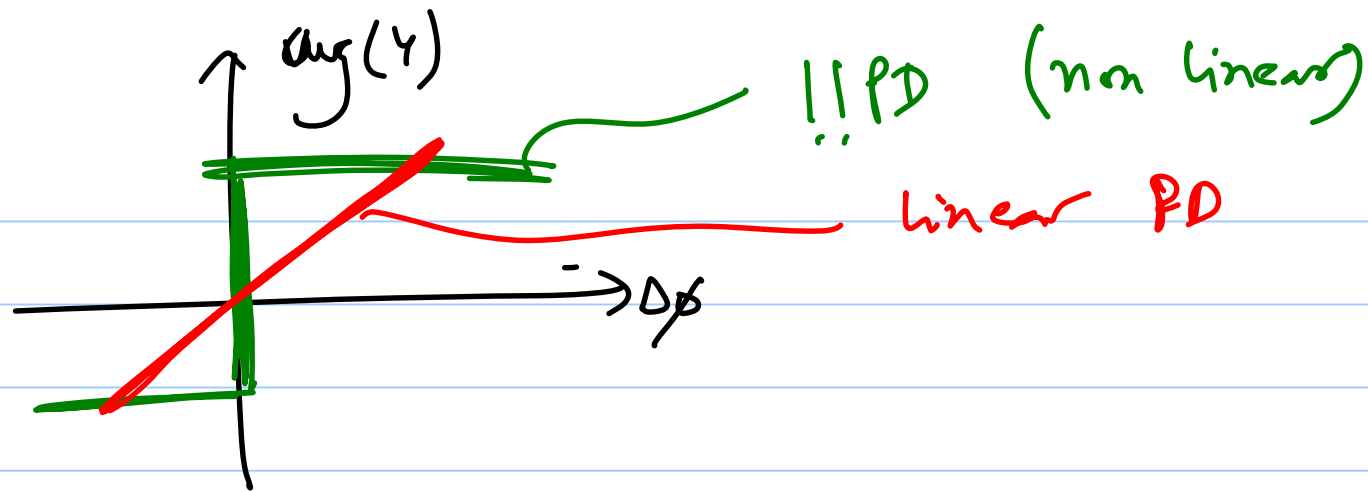


* Circuit produces a pulse for each data transition



* The width of the op pulses vary linearly with the $\Delta\phi$ between D_{in} & ck .

"Linear PDM"



more data pulses

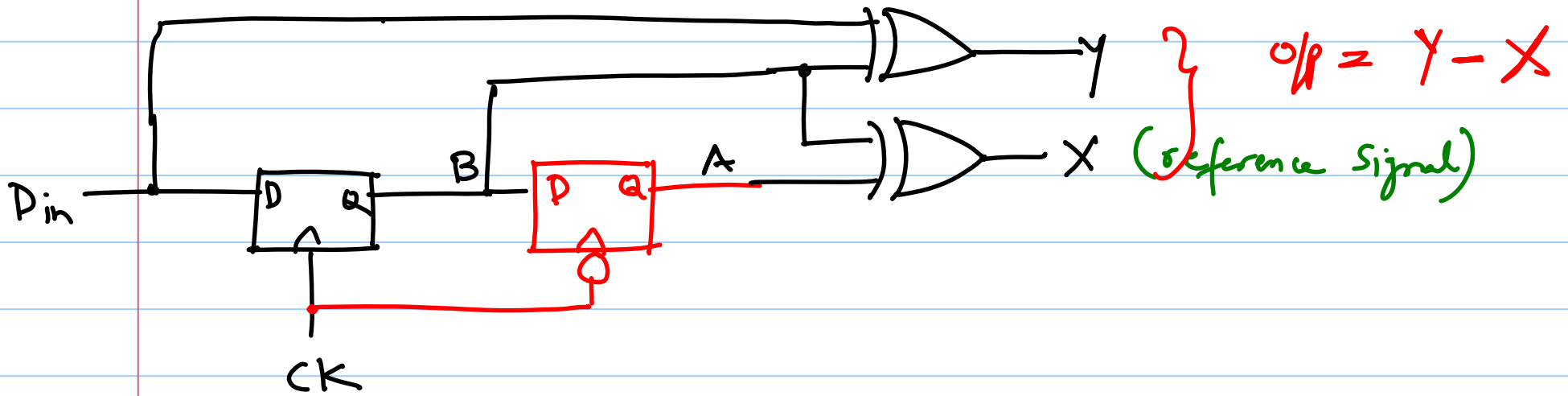
↳ more pulses in γ

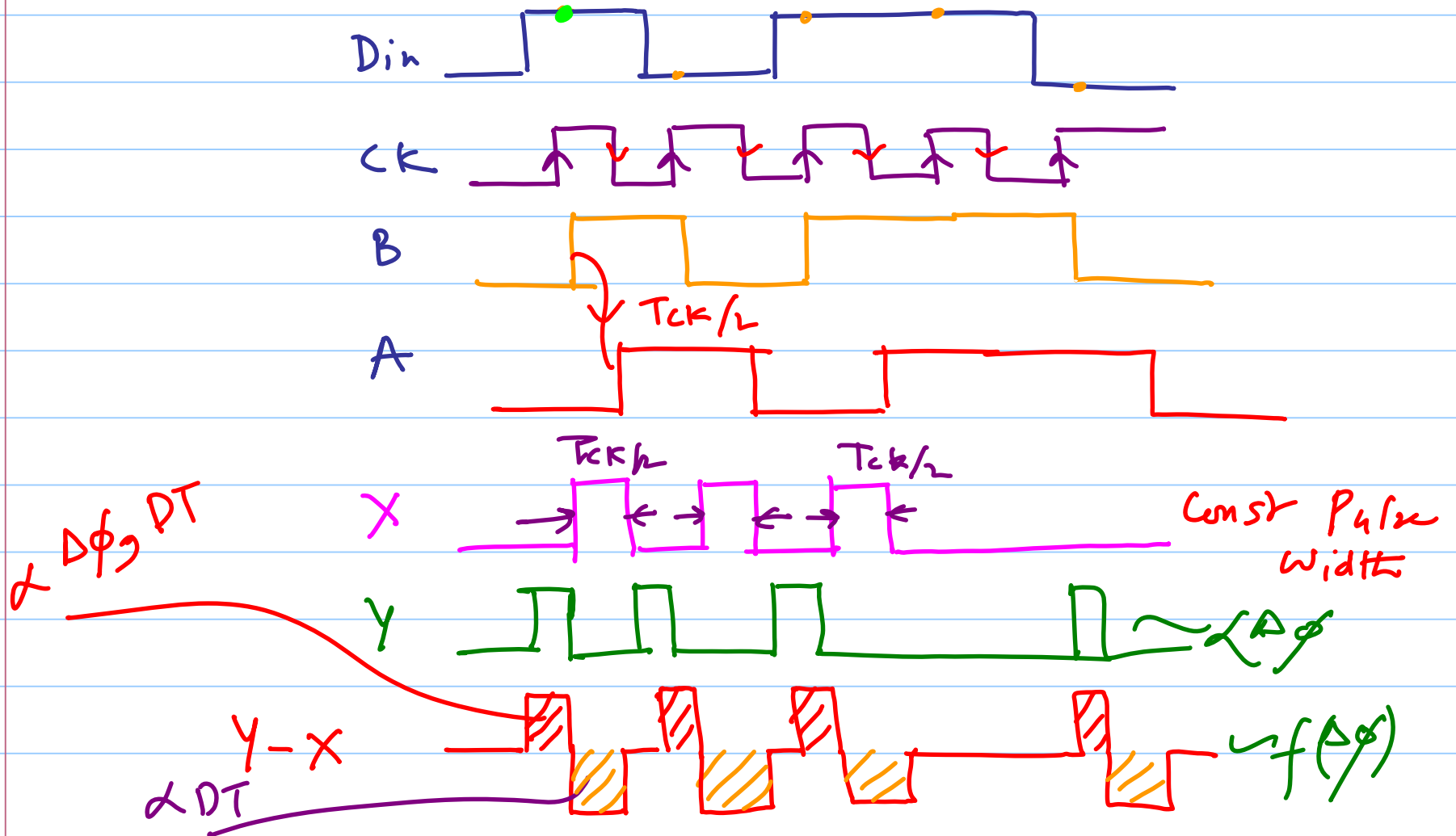
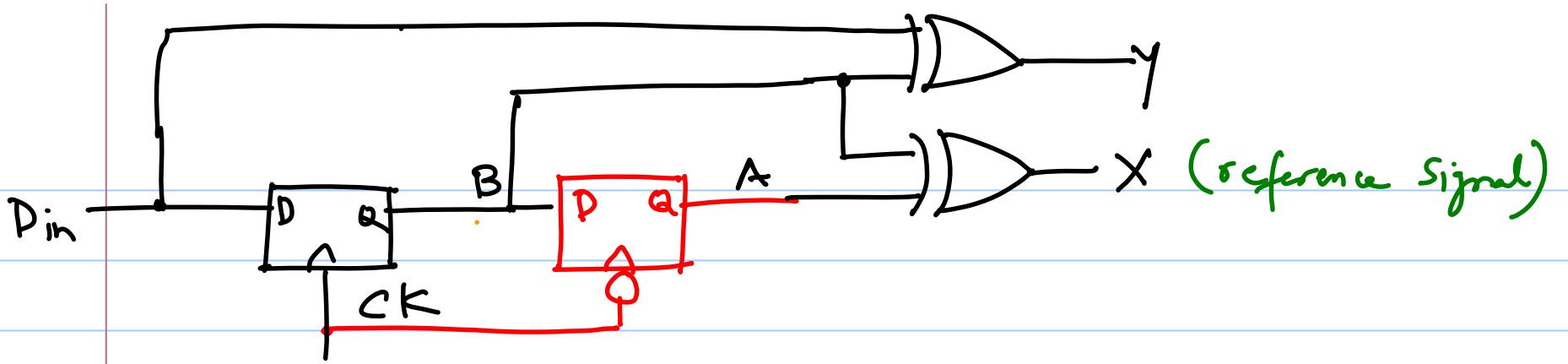
⇒ higher average value over time!

$$\text{avg}(Y) = f(\Delta\phi, \text{data transitions})$$

Need a reference pulse to compare with and generate
 $\% \propto \Delta\phi$

↳ reference pulse depends upon data density





$ay(y-x)$ uniquely represents $\Delta\phi$ irrespective of number of data transition

* Difference b/w Areas of X & Y at the PD output eliminates ambiguity due to transition density

* In locked condition X & Y produce equal widths

$$\Rightarrow ay(y-x) = 0$$

pulse width of X & Y = $\frac{T_{clk}}{2}$