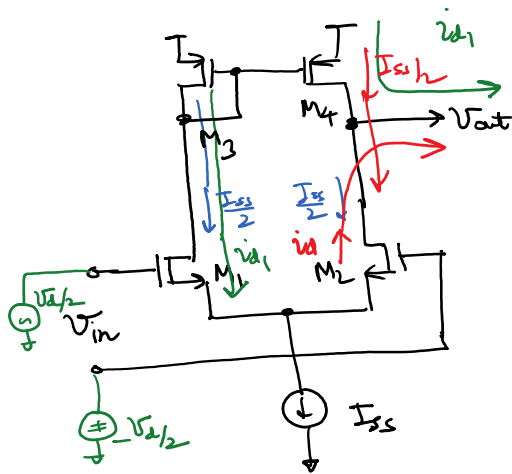


EECE 515- Lecture 21

Tuesday, November 6, 2018 11:09 AM

Diff amp with Current Mirror Load

$V_{cm} \leftarrow I_{CMR}$ of the diffamp so that all transistors are biased



Single-ended output

$$i_{d1} = g_{m1} \frac{v_a}{2}$$

$$i_{d2} = g_{m2} \frac{v_a}{2}$$

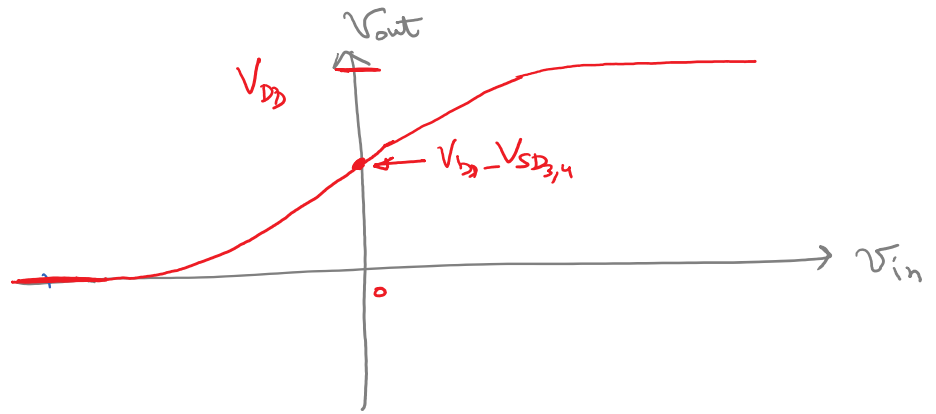
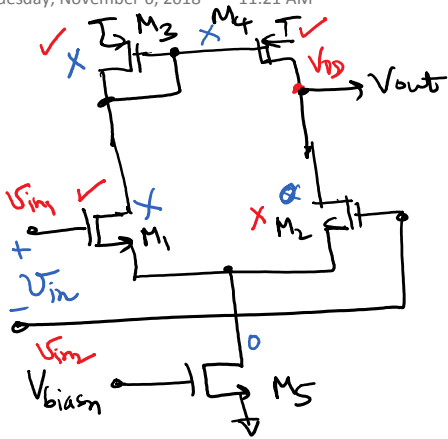
$$V_{out} = (i_{d1} + i_{d2}) R_{out} = \left(g_{m1} \frac{v_a}{2} + g_{m2} \frac{v_a}{2} \right) r_{o2} \parallel r_{o4}$$

$$= g_{m_{1,2}} (r_{o2} \parallel r_{o4}) \cdot v_a$$

$$A_{v,cm} = g_{m_{1,2}} (r_{o2} \parallel r_{o4})$$

contribution from two paths

* Excellent for converting differential inputs to single-ended output.



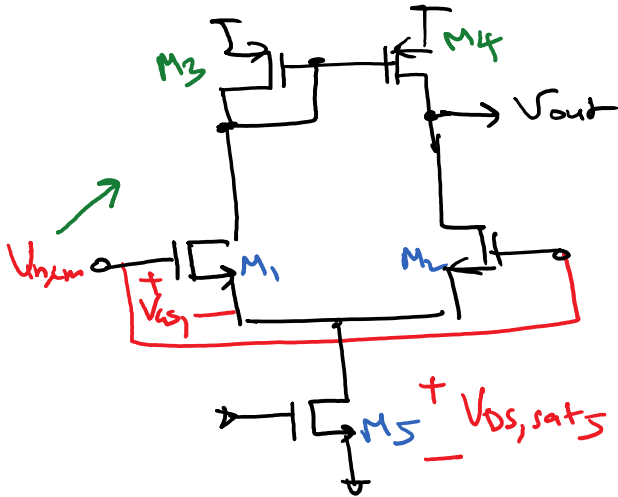
* V_{in} is large negative voltage M_1 off $\Rightarrow M_3 \& M_4$ are off
 $M_2 \& M_5$ are $V_{DS} \approx 0$ deep triode

* V_{in} approaches 0 $\Rightarrow V_{in1} \& V_{in2}$ getting close to each other
 $\hookrightarrow M_1$ turns on, draws part of $I_{SS} \Rightarrow M_3$ mirrors that current
 $\Rightarrow M_4$ turns on

* $V_{in} \gg 0$

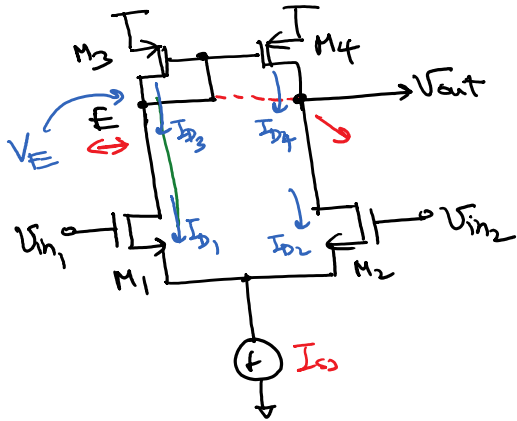
$$\text{gain} = + g_{m1,2} (\cdot r_{o2} \parallel r_{o4}) \leftarrow \frac{g_m r_o}{2}$$

Cascode will provide much higher gain



$$V_{in,cm} \geq V_{ds1,2} + V_{ds,sat5}$$

$$\Rightarrow 2V_{ds,sat} + V_{thn}$$



Let $V_{out} < V_E$

\Rightarrow by CLM

$$I_{D1} > I_{D2}$$

$$(\because V_{b1} > V_{b2})$$

$$\therefore I_{D3} = I_{D1}$$

$$I_{D4} \text{ mirrors } I_{D3} \Rightarrow I_{D4} = I_{D3}$$

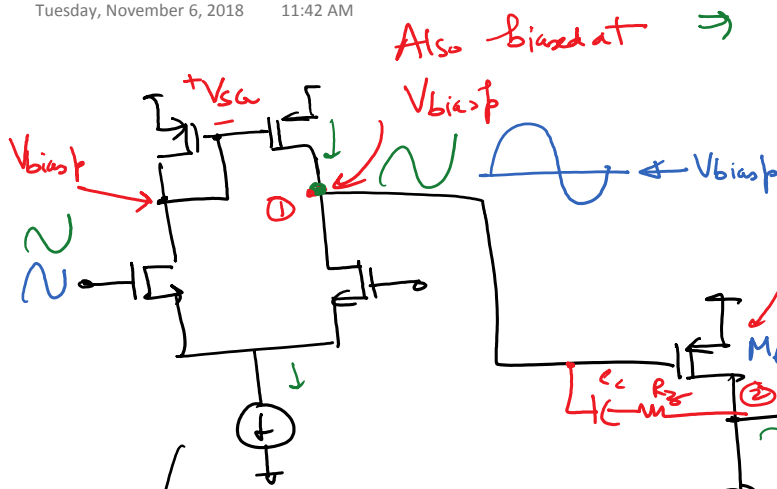
$$\rightarrow I_{D2} = I_{D4}$$

$$\Rightarrow I_{D2} > I_{D1}$$

Contradiction

$\times V_{out} \stackrel{P}{=} V_E$ if no differential input is applied

Top current source (M_4) is actually dependant on I_{SS}
 \hookrightarrow no current sources are fighting

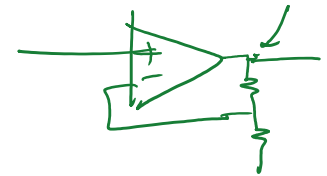


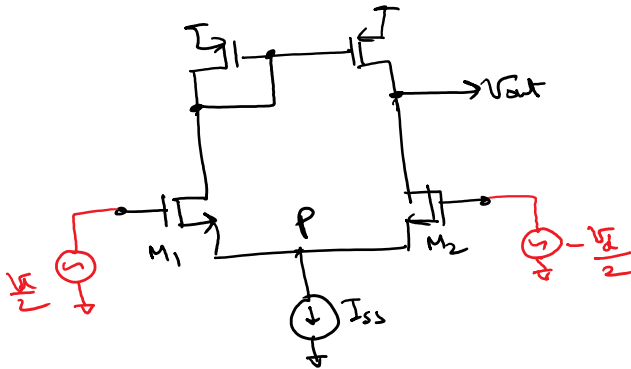
M_6 is properly biased

Two Stage opamp

Voltage not well defined but will be biased properly in a feedback loop.

+ provides transfer of ac signal but also biases the second stage.
 \hookrightarrow Very Important!





Circuit is not symmetric

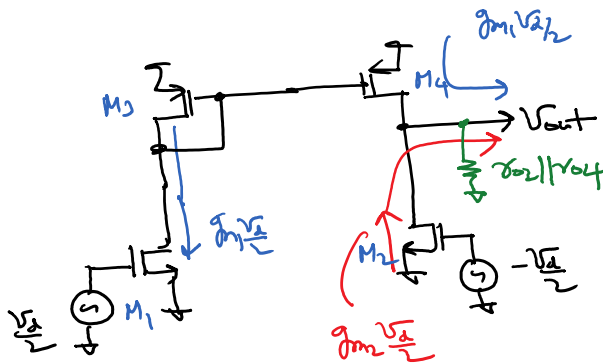
Ideally P is not AC ground in differential picture

* Detailed analysis can be performed on this circuit (see Razavi and notes)

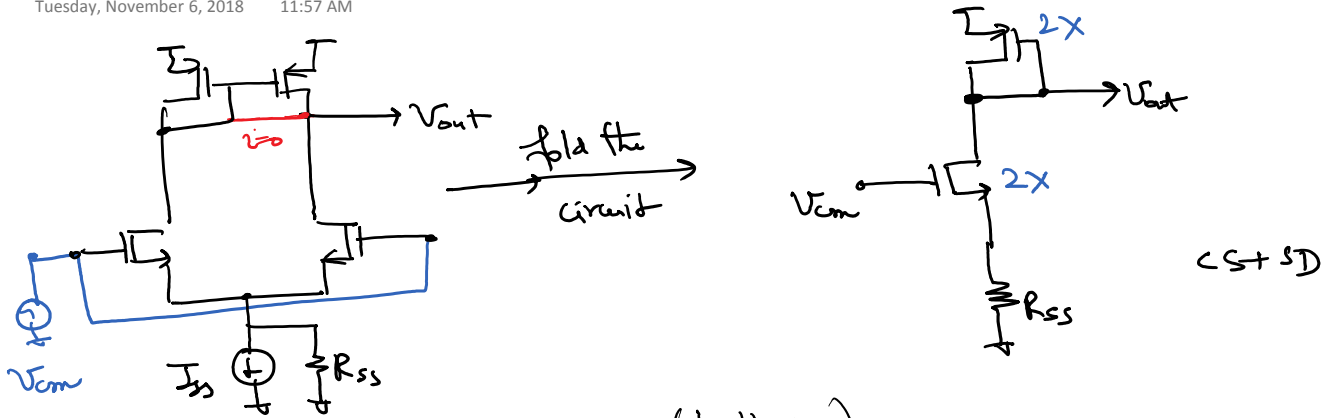
↳ Results are same (with approximations) as if P was AC ground.

* If we make the approximation at ^{node} P is AC ground.

Differential Equivalent Circuit



$$\Rightarrow A_{v,DM} = g_{m1/2} (r_{o2} \parallel r_{o4})$$



$$A_{v,cm} = - \frac{2g_{m1,2} \cdot \left(\frac{1}{2g_{m3,4}} \parallel r_{o1,2} \right)}{1 + 2g_{m1,2} R_{ss}}$$

$$\approx - \frac{\frac{1}{2g_{m3,4}}}{\frac{1}{2g_{m1,2}} + R_{ss}}$$

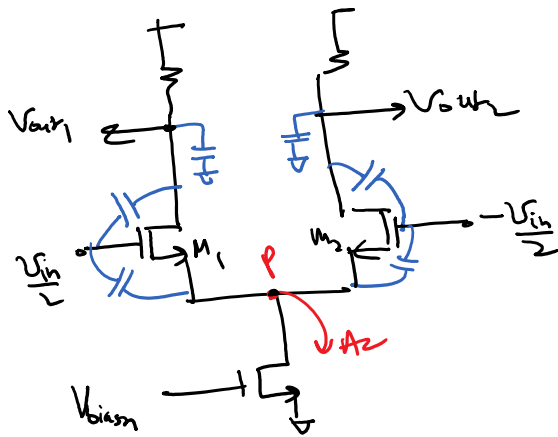
$$= - \frac{1}{1 + 2g_{m1,2} R_{ss}} \cdot \frac{g_{m1,2}}{g_{m3,4}}$$

$$\approx - \frac{1}{2g_{m3,4} R_{ss}}$$

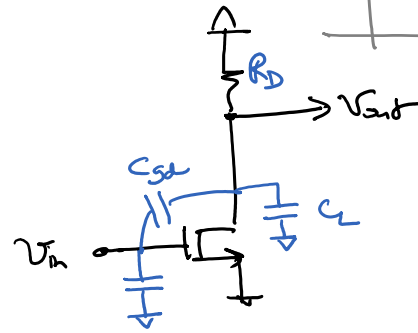
$$CMRR = \left| \frac{A_{v,dm}}{A_{v,cm}} \right| = g_{m1,2} \cdot (r_{o2} \parallel r_{o4}) \cdot 2g_{m3,4} \cdot R_{ss}$$

↓
better to use
cascode tail
current source

Differential Frequency Response:



\Rightarrow



1-pole
1-zero

$\therefore R_S \rightarrow 0 \Rightarrow$ no input pole

$$\omega_p \approx \frac{1}{(R_D || r_{o2}) [C_L + C_{GD}]}$$

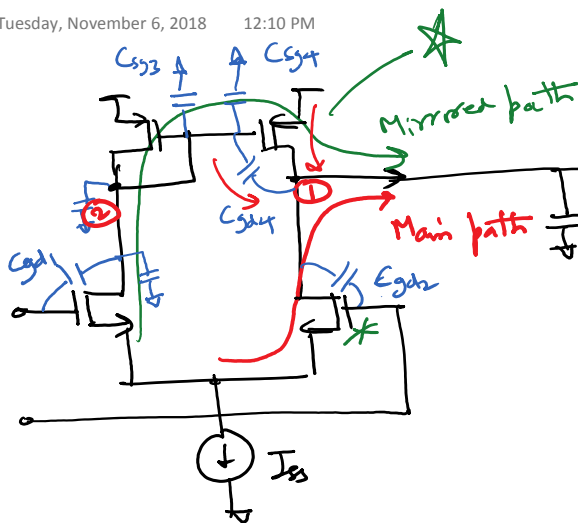
$$\omega_z = + \frac{g_m}{g_{d2}}$$

RHP zero

* Can also look at CM frequency response \Rightarrow

CMRR degrades with frequency

* Differential Response \Rightarrow Half Circuit frequency response
 \hookrightarrow symmetry



Both paths have different transfer functions

* Main path (fast path) contains a pole at node ①

* Slow path contains two poles
 ↳ one at node ① and a "Mirror pole" at node ②

* Two zeros as well due to $C_{gd2} \leftarrow C_{gd1}$

$$\omega_{p1} = \frac{1}{(\tau_{op} \parallel \tau_{on}) C_L}$$

$$\omega_{p2} \approx \frac{g_{mp}}{C_E}$$

$$* \omega_{z2} = + \frac{g_{mn}}{C_{gd,m}} \quad (\text{RHP zero})$$

$$* \omega_{z1} = -2 \frac{g_{mp}}{C_E} \quad (\text{LHP zero})$$

↳ Interesting!