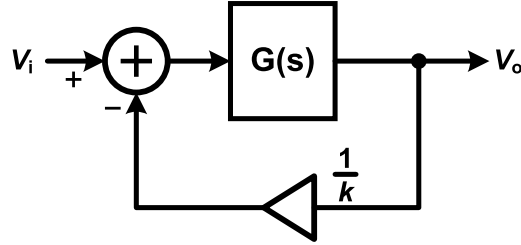


Homework 2

ECE 504 – PLL and High-Speed Link Design

Problem 1- Feedback System Stability

A feedback system representative of a PLL is shown below, where $G(s)$ is the forward-path transfer function and the feedback gain is given by $H(s) = \frac{1}{k}$.



- For each the following systems, plot- (i) loop-response (magnitude and phase), (ii) closed-loop response, and (iii) closed-loop transient step-response. Also, label the parameters $\omega_{u,loop}$, ω_{3dB} , phase and gain margins (PM and GM), closed-loop DC gain (A_{CL}).

- $G(s) = \frac{10^3}{s}$, $k = 1, 10$ (Type-I system)
- $G(s) = \frac{10^3}{(1+\frac{s}{10^3})(1+\frac{s}{10^4})}$, $k = 1, 10$ (two close poles)
- $G(s) = \frac{10^3}{(1+\frac{s}{10^3})(1+\frac{s}{10^6})}$, $k = 1, 10$ (two separated poles)
- $G(s) = \frac{5 \times 10^8}{s^2}$, $k = 1, 10$ (Type-II system)
- $G(s) = \frac{5 \times 10^8 (1+\frac{s}{10^3})}{s^2}$, $k = 1, 10$ (Type-II system with a zero)
- $G(s) = \frac{5 \times 10^8 (1+\frac{s}{10^3})}{s^2 (1+\frac{s}{10^6})}$, $k = 1, 10$ (Type-II system with a zero and a pole)

- Comment on the stability of the above systems in a closed loop. Do you observe any relation between the PM and the settling response?

PS: Make sure you spend some effort in arranging and illustrating the plots instead of just copy-pasting the plots in the document.