## Class 9

## Table-driven Top Down Parsing



## Predictive Parser (Top Down)

| Nonterminal Input Token |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | id | + | * | 1 | ) | \$ |
| E | E->TE' |  |  | E $\rightarrow$ TE' |  |  |
| E' |  | E' ->+TE |  |  | $E^{\prime} \rightarrow$ - | E' -> ع |
| T | T->FT' |  |  | T->FT' |  |  |
| T' |  | T' -> $\varepsilon$ | T' ->*FT |  | T' -> $\varepsilon$ | $\mathrm{T}^{\prime}->\varepsilon$ |
| F | F->id |  |  | F->(E) |  |  |

Let input token stream be: (id +id) *id \$
Initial Stack:
$\uparrow$

| $E$ |
| :--- |
| $\$$ |

## Any Questions?

- how the top-down parsing works?
- what you need to do to the grammar to use a top-down parser that is predictive (non-backtracking)

On to how to build that parse table...

## Predictive LL(1) Parse Table Build

Key Insight:
Given input " $a$ " and nonterminal $B$ to be expanded, which one of the alternatives

$$
B \rightarrow \alpha_{1}\left|\alpha_{2}\right| \ldots \alpha_{n}
$$

is the unique choice to derive a string starting with " $a$ "?


## Computing FIRST and FOLLOW

FIRST $(\alpha)=$ set of terminals that can begin strings derived by $\alpha$
$\operatorname{FIRST}(\alpha)=\{a \mid \alpha=>a \beta$ for some $\beta\}$

$$
\begin{aligned}
& E \rightarrow T E^{\prime} \\
& E^{\prime} \rightarrow+\mathrm{E}^{\prime} \mid \varepsilon \\
& \mathrm{T} \rightarrow \mathrm{FT}^{\prime} \\
& \mathrm{T}^{\prime} \rightarrow \mathrm{FF}^{\prime} \mid \varepsilon \\
& \mathrm{F} \rightarrow(\mathrm{E}) \mid \mathrm{id}
\end{aligned}
$$

FOLLOW $(N)$ = set of terminals that can immediately follow $N$ in righ $\dagger$ sentential form
FOLLOW(N):
For A $\rightarrow \alpha$ N $\beta$, Add FIRST( $\beta$ ), except $\varepsilon$, to FOLLOW(N)
For $A \rightarrow \alpha N \beta$ and FIRST( $\beta$ ) has $\varepsilon$, or $A \rightarrow \alpha N$, Add FOLLOW(A) to FOLLOW(N)
Add \$ to FOLLOW(START SYMBOL)

## Let's look at some grammars...

Example 1:

$$
\begin{aligned}
& S \rightarrow A B C \\
& A \rightarrow a|C b| \varepsilon \\
& B \rightarrow C|d A| \varepsilon \\
& C \rightarrow e \mid f
\end{aligned}
$$

Example 2:

$$
\begin{aligned}
& S \rightarrow u B D z \\
& B \rightarrow B v \mid w \\
& D \rightarrow E F \\
& E \rightarrow y \mid \varepsilon \\
& F \rightarrow x \mid \varepsilon
\end{aligned}
$$

