

Class 8

**On to how the parser actually works
under the hood...**



Parsing Methods

Universal: For every CFG, there exists a parser that will take at most $O(n^3)$ time, $O(n^2)$ space.

Cocke-Young-Kasami: check whether each consecutive substring is possible:
dynamic programming

Early: build all possible trees in parallel

BUT we want linear time in input size:

- single left to right scan of input program
- lookahead of 1 token at a time
- no backtracking

Linear-time Parsers:

Top-down: root “expanded” to leaves
recursive-descent
LL(1) predictive parsers

Bottom-up: leaves “reduced” to root
LR family: SLR, LALR, LR(1) canonical

Top-down Parsing

Goal: Find leftmost derivation starting at root and building tree in preorder.

Why leftmost derivation?

What do we mean by avoiding the backtracking to be linear?

Consider:

$S \rightarrow aAd \mid aB$

$A \rightarrow b \mid c$

$B \rightarrow ccd \mid ddc$

Input: accd

Exploring Top Down Parsing Challenges

Consider: `procedure id (param list) ;` param list is optional

where `param list => param : type; param : type;...param:type`
`param => var id, id, ..., id`
var is optional

Context-free Grammar:

```
S -> procedure id P ; | ε
P -> ( L ) | ε
L -> R : T | R : T ; L
R -> V D
V -> var | ε
D -> D , id | id
T -> int | real
```

String: `procedure print (var x,y,z: int; a,b: real);`

Recursive-descent Parsing

CFG: $T \rightarrow T * F \mid F$
 $F \rightarrow (E) \mid id$

$\Rightarrow T \rightarrow F T'$
 $T' \rightarrow * F T' \mid \epsilon$
 $F \rightarrow (E) \mid id$

$T()$
{

$F()$
{

}

$T'()$
{

}

}

Consider input string: $a * b * c$