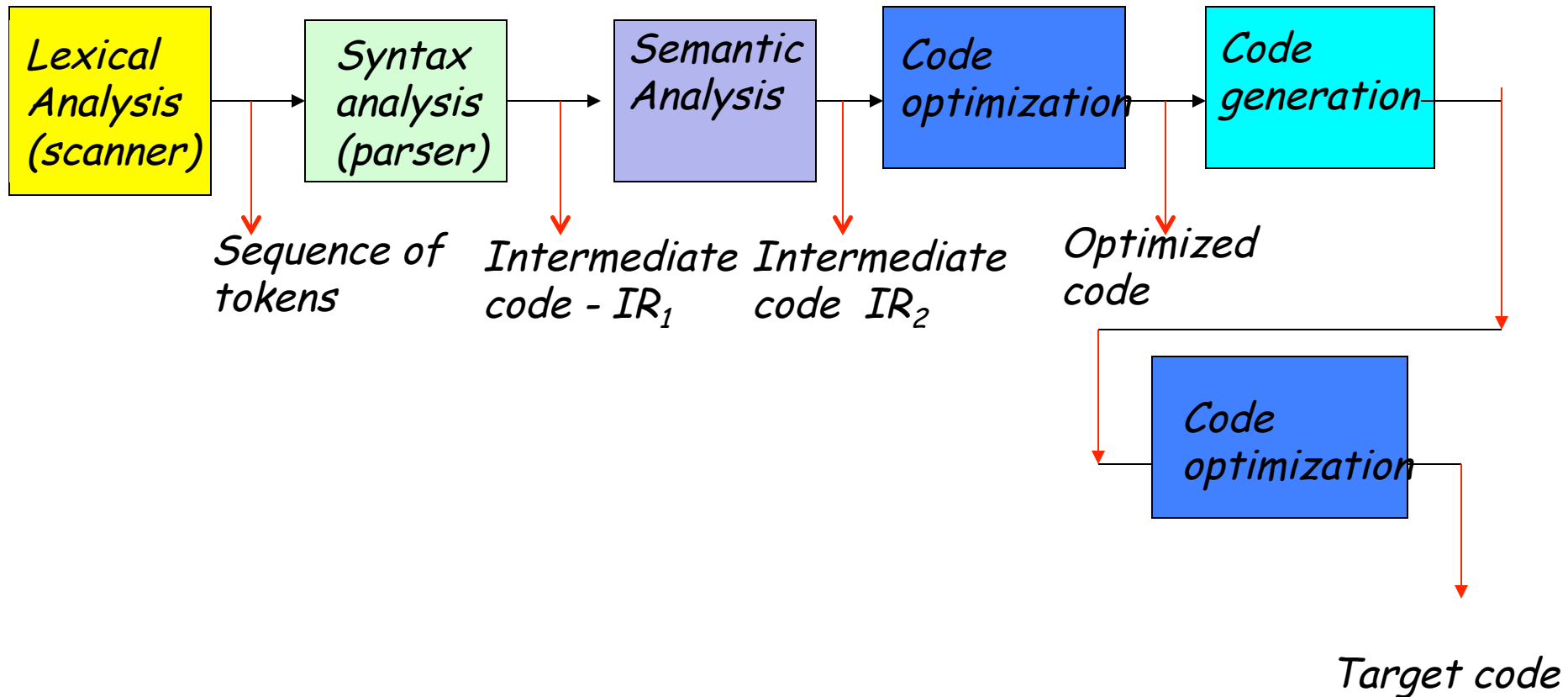


Overview of Compiler Optimization Phases



Not Really an Optimizer

- NP complete problem
- Instead, produces a “better” version:
 - memory
 - time
 - energy/power
 - network messages
- Better use of resources
- Reduce inefficiencies in generated code

3 Levels of Optimization

1. Local

- Apply to a basic block in isolation

2. Global

- Apply to a method/function in isolation

3. Inter-procedural

- Apply across method boundaries

Most compilers do (1)

many do (2)

very few do (3)

Representing the Program for Optimization

Each Method : Control Flow Graph

The Control Flow Graph

```
BEGIN /* main routine of a nonsense program */
```

```
  x := 1;
```

```
  WHILE (x = 1) DO
```

```
    x := 2;
```

```
    test ( x, 1 );
```

```
    x := 3;
```

```
  OD;
```

```
  WHILE (x = 1) DO
```

```
    x := 4;
```

```
    x := 5;
```

```
    test ( x, 2 );
```

```
  OD;
```

```
  WHILE (x = 1) DO
```

```
    x := 6;
```

```
    IF (x = 7)
```

```
      THEN x := 8;
```

```
      ELSE test ( x, 3 );
```

```
    FI;
```

```
  OD;
```

```
END.
```

Node = a basic block

where Basic block =

maximal sequence of consecutive statements in which flow

enters at the start and leaves

at the end without halt or

branching except at the end.

Edge = directed, to show the

flow of control between

basic blocks

Entry Node

Exit Node

CFG: Rooted, directed graph.

Construction of a CFG

A Leader = first statements of basic block

What constitutes a leader?

How can the CFG be built for a procedure?

Terminology:

pred(b)

succ(b)

branch nodes

join nodes

program points

join point

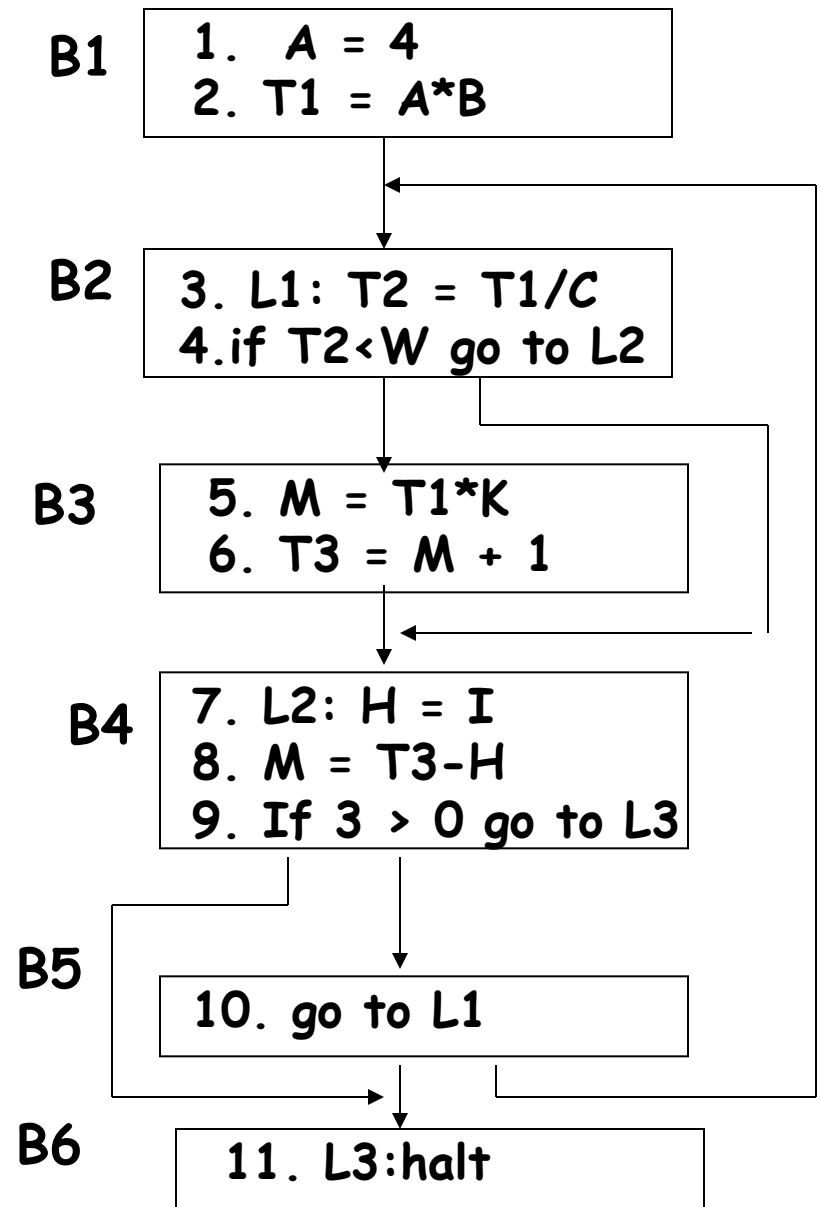
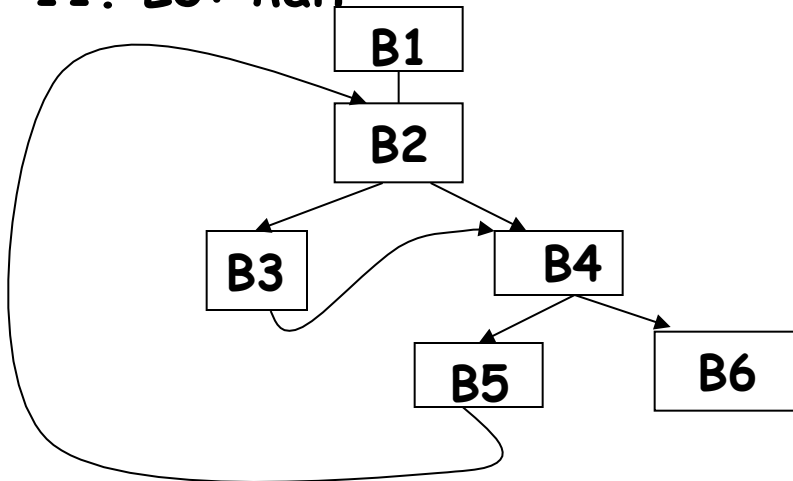
split point

Let's Try It - Construct the CFG

```
1      receive m (val)
2      f0 ← 0
3      f1 ← 1
4      if m ≤ 1 goto L3
5      i ← 2
6  L1:  if i ≤ m goto L2
7      return f2
8  L2:  f2 ← f0 + f1
9      f0 ← f1
10     f1 ← f2
11     i ← i + 1
12     goto L1
13  L3:  return m
```

Another Example:

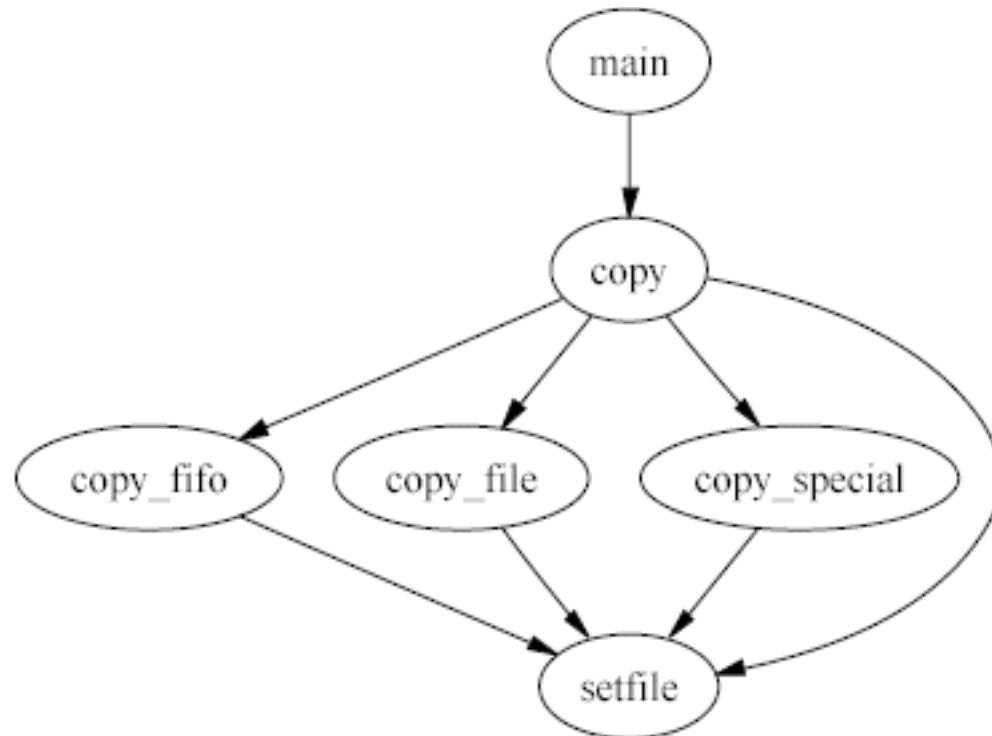
1. $A = 4$
2. $T1 = A * B$
3. L1: $T2 = T1 / C$
4. If $T2 < W$ go to L2
5. $M = T1 * K$
6. $T3 = M + 1$
7. L2: $H = I$
8. $M = T3 - H$
9. If $T3 > 0$ go to L3
10. Go to L1
11. L3: halt



Connect the Methods/Functions through Call Graph Representation

Node = function or method

*Edge from A to B : A has a call site
where B is potentially called*



Let's Try It: Construct a call graph

```
1  procedure f( )
2  begin
3      call g( )
4      call g( )
5      call h( )
6  end  || f
7  procedure g( )
8  begin
9      call h( )
10     call i( )
11 end  || g
12 procedure h( )
13 begin
14 end  || h
15 procedure i( )
16     procedure j( )
17     begin
18     end  || j
19 begin
20     call g( )
21     call j( )
22 end  || i
```

Local Optimization

Algebraic Simplification

- Some statements can be deleted

$x := x + 0$

$x := x * 1$

- Some statements can be simplified

$x := x * 0 \quad \Rightarrow \quad x := 0$

$y := y ** 2 \quad \Rightarrow \quad y := y * y$

$x := x * 8 \quad \Rightarrow \quad x := x \lll 3$

(Use fastest operation:

e.g., On some machines \lll is faster than $*$; but not on all!)₁

Copy Propagation

- If $w := x$ appears in a block, all subsequent uses of w can be replaced with uses of x

- Example:

$b := z + y$		$b := z + y$
$a := b$	\Rightarrow	$a := b$
$x := 2 * a$		$x := 2 * b$

- This does not make the program smaller or faster but might enable other optimizations, e.g.,
 - Constant folding
 - Dead code elimination

Constant Folding

- Operations on constants can be computed at compile time
- In general, if there is a statement
$$x = y \text{ op } z$$
 - And y and z are constants
 - Then $y \text{ op } z$ can be computed at compile time
- Example: $x = 2 + 2 \Rightarrow x = 4$
- Example: $\text{if } 2 < 0 \text{ jump } L$ can be deleted

Combining Copy Propagation and Constant Folding

- Example:

$a := 5$

$x := 2 * a$

$y := x + 6$

$t := x * y$

\Rightarrow

$a := 5$

$x := 10$

$y := 16$

$t := x \ll 4$

Common Subexpression Elimination

- **Assume**
 - Basic block is in single assignment form
(Contiguous instructions with no jumps in or out; no more than 1 assignment per variable)
 - A definition $x :=$ is the first use of x in a block
- If any assignments have the same rhs, they compute the same value

- **Example:**

$x := y + z$		$x := y + z$
...	\Rightarrow	...
$w := y + z$		$w := x$

(the values of x , y , and z do not change in the code)

Dead Code Elimination

If $w := rhs$ appears in a basic block

And w does not appear anywhere else in the block (not live in block or rest of program)

Then

the statement $w := rhs$ is dead and can be eliminated

- Dead = does not contribute to the program's result

Example: (a is not used anywhere else)

$b := z + y$		$b := z + y$		$b := x + y$
$a := b$	\Rightarrow	$a := b$	\Rightarrow	$x := 2 * b$
$x := 2 * a$		$x := 2 * b$		

Applying Local Optimizations

- Each local optimization does very little by itself
- Typically optimizations interact
 - Performing one optimization enables other opt.
- Typical optimizing compilers repeatedly perform optimizations until no more improvement
 - The optimizer can also be stopped at any time to limit the compilation time

Compiler Optimization Challenge

- Given the following code segment in a basic block, optimize the code using algebraic simplification, copy propagation, constant folding, common subexpression elimination and dead code elimination.
- The goal is to produce the least number of instructions that will execute faster. Show each step of the optimization.

1. $a := x ** 2$
2. $b := 3$
3. $c := x$
4. $d := c * c$
5. $e := b * 2$
6. $f := a + d$
7. $g := e * f$
8. Print (g)